

# $\gamma p \rightarrow p\Phi\eta$ Analysis Update

Bradford Cannon

Florida State University

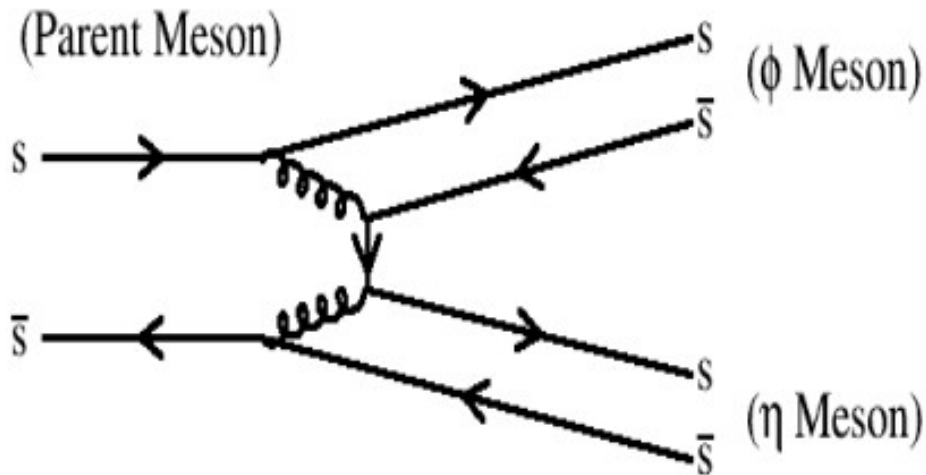
Amplitude Analysis Working Group  
(12/03/2018)

# Talk Overview

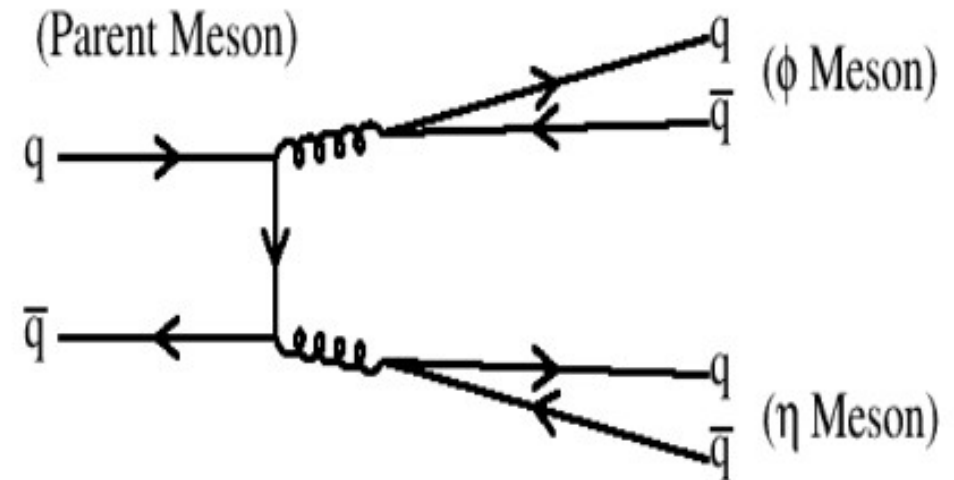
- Motivation to Study the  $\Phi\eta$  Final State
- Standard PID Cuts
- Additional Cuts Specifically for  $\gamma p \rightarrow p\Phi\eta$
- Quality Factor Study
- Preliminary Results for  $\Phi\eta$  Invariant Mass
- What to do next

# Motivation to Study the $\Phi\eta$ Final State

- The parent state of  $\Phi\eta$  must be an  $s\bar{s}$  bound state due to OZI suppression



(a) Feynman Diagram for OZI allowed process.



(b) Feynman Diagram for OZI forbidden process.

- There are many  $s\bar{s}$  states that have not been found

$n^{2s+1}\ell_J$	$J^{PC}$	$l = 1$ $u\bar{d}, \bar{u}d, \frac{1}{\sqrt{2}}(d\bar{d} - u\bar{u})$	$l = \frac{1}{2}$ $u\bar{s}, d\bar{s}; \bar{d}s, -\bar{u}s$	$l = 0$ $f'$	$l = 0$ $f$	$\theta_{\text{quad}}$ [°]	$\theta_{\text{lin}}$ [°]
$1^1S_0$	$0^{-+}$	$\pi$	$K$	$\eta$	$\eta'(958)$	-11.3	-24.5
$1^3S_1$	$1^{--}$	$\rho(770)$	$K^*(892)$	$\phi(1020)$	$\omega(782)$	39.2	36.5
$1^1P_1$	$1^{+-}$	$b_1(1235)$	$K_{1B}^\dagger$	$h_1(1380)$	$h_1(1170)$		
$1^3P_0$	$0^{++}$	$a_0(1450)$	$K_0^*(1430)$	$f_0(1710)$	$f_0(1370)$		
$1^3P_1$	$1^{++}$	$a_1(1260)$	$K_{1A}^\dagger$	$f_1(1420)$	$f_1(1285)$		
$1^3P_2$	$2^{++}$	$a_2(1320)$	$K_2^*(1430)$	$f_2'(1525)$	$f_2(1270)$	29.6	28.0
$1^1D_2$	$2^{-+}$	$\pi_2(1670)$	$K_2(1770)^\dagger$	$\eta_2(1870)$	$\eta_2(1645)$		
$1^3D_1$	$1^{--}$	$\rho(1700)$	$K^*(1680)$		$\omega(1650)$		
$1^3D_2$	$2^{--}$		$K_2(1820)$				
$1^3D_3$	$3^{--}$	$\rho_3(1690)$	$K_3^*(1780)$	$\phi_3(1850)$	$\omega_3(1670)$	31.8	30.8
$1^3F_4$	$4^{++}$	$a_4(2040)$	$K_4^*(2045)$		$f_4(2050)$		
$1^3G_5$	$5^{--}$	$\rho_5(2350)$	$K_5^*(2380)$				
$1^3H_6$	$6^{++}$	$a_6(2450)$			$f_6(2510)$		
$2^1S_0$	$0^{-+}$	$\pi(1300)$	$K(1460)$	$\eta(1475)$	$\eta(1295)$		
$2^3S_1$	$1^{--}$	$\rho(1450)$	$K^*(1410)$	$\phi(1680)$	$\omega(1420)$		
$3^1S_0$	$0^{-+}$	$\pi(1800)$			$\eta(1760)$		

# Standard PID Cuts

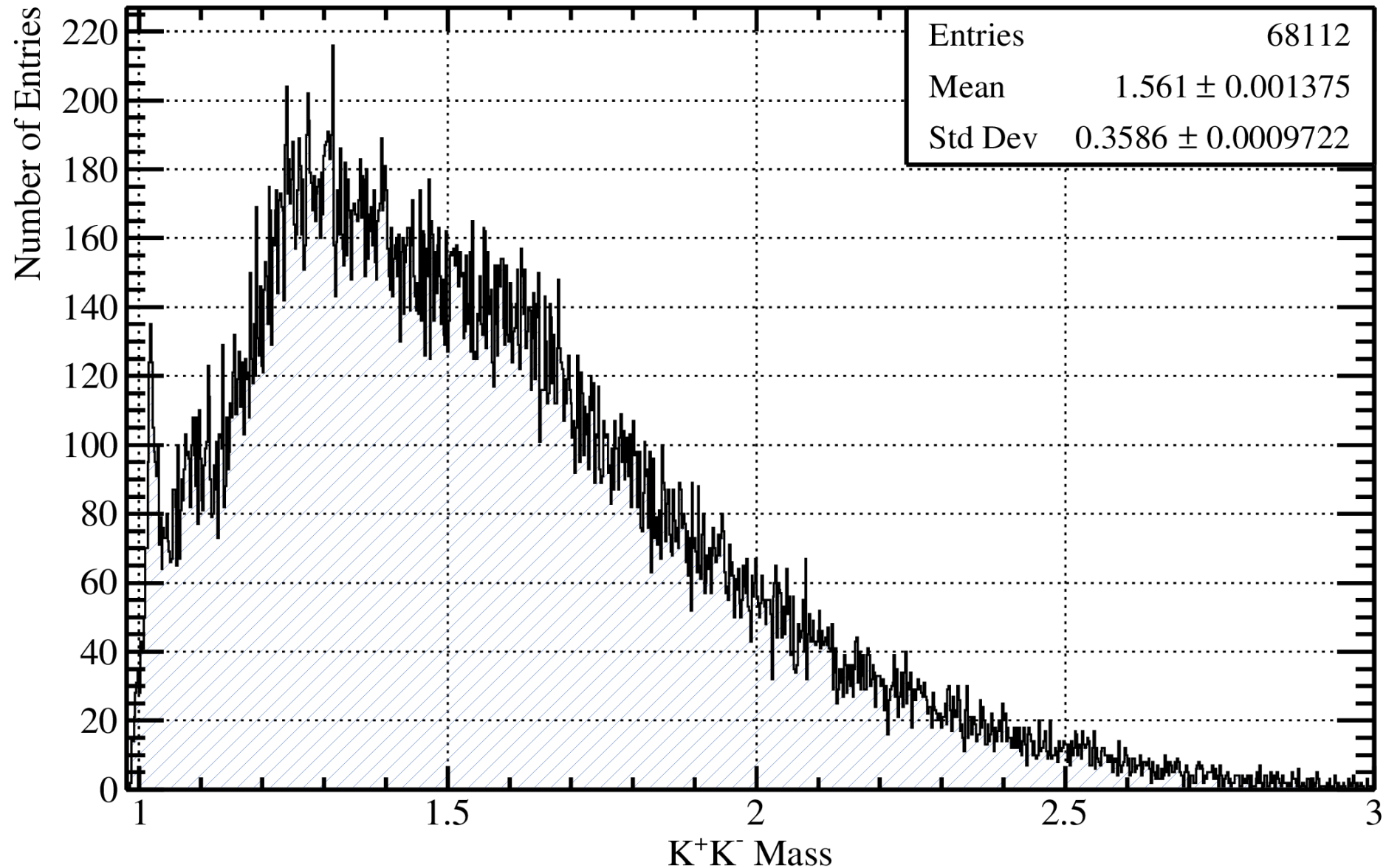
- The data that was used for this analysis came from the Spring 2017 run period
- The final state topology that was used to study my reaction:  $\gamma p \rightarrow p K^+ K^- \gamma \gamma$
- Initial State PID:
  - Beam Photon:
    - 3 beam buckets
    - Energy  $> 7.5$  GeV
  - Target:
    - Vertex Cuts for all reconstructed final state particles to be within the target chamber
    - $51 \text{ cm} \leq z \leq 79 \text{ cm}; \quad r \leq 1 \text{ cm}$

# Standard PID Cuts

- Final State PID:
  - Recoil Proton:
    - Standard  $dE/dX$  cut
    - Standard Timing Cuts for BCAL, FCAL, and TOF
  - $K^+/K^-$ :
    - Standard Timing Cuts for BCAL, FCAL, and TOF
  - $\gamma$ :
    - Standard Timing Cuts for BCAL and FCAL

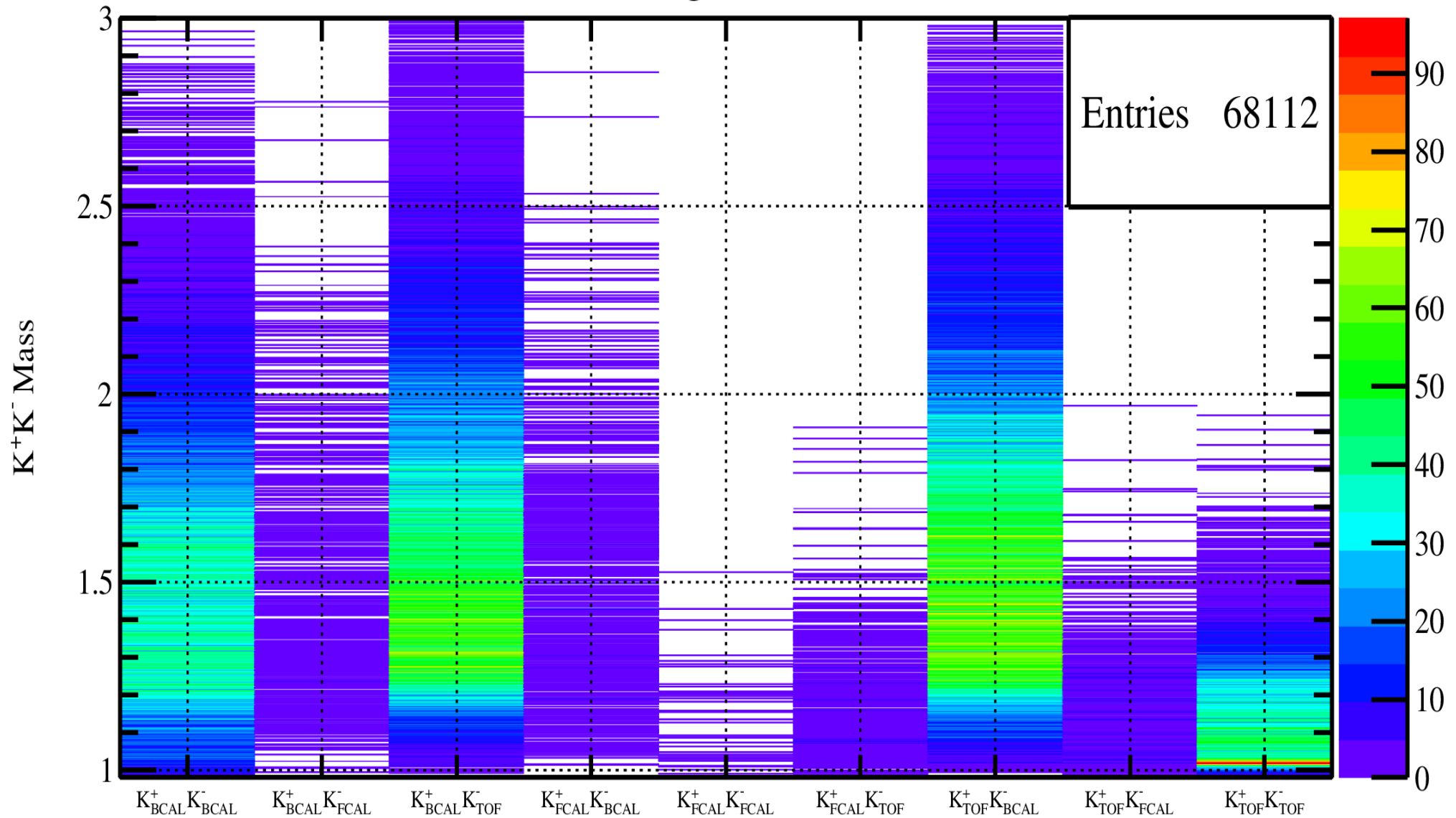
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=[1,9] [x=-0.5..8.5] [ $K_{\text{BCAL}}^+ K_{\text{BCAL}}^- .. K_{\text{TOF}}^+ K_{\text{TOF}}^-$ ]



# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

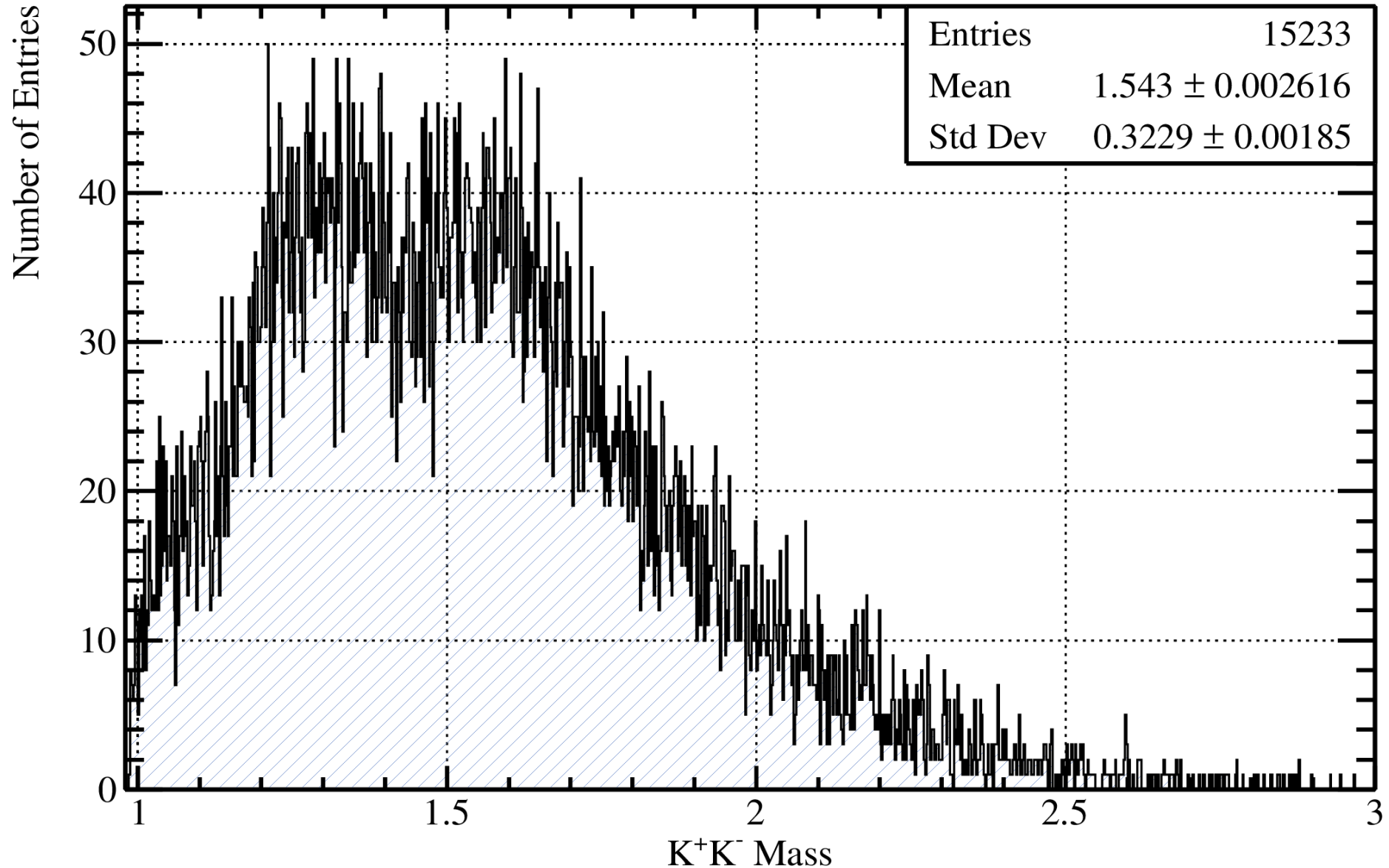
Kaon Timing Vs  $K^+K^-$  Mass





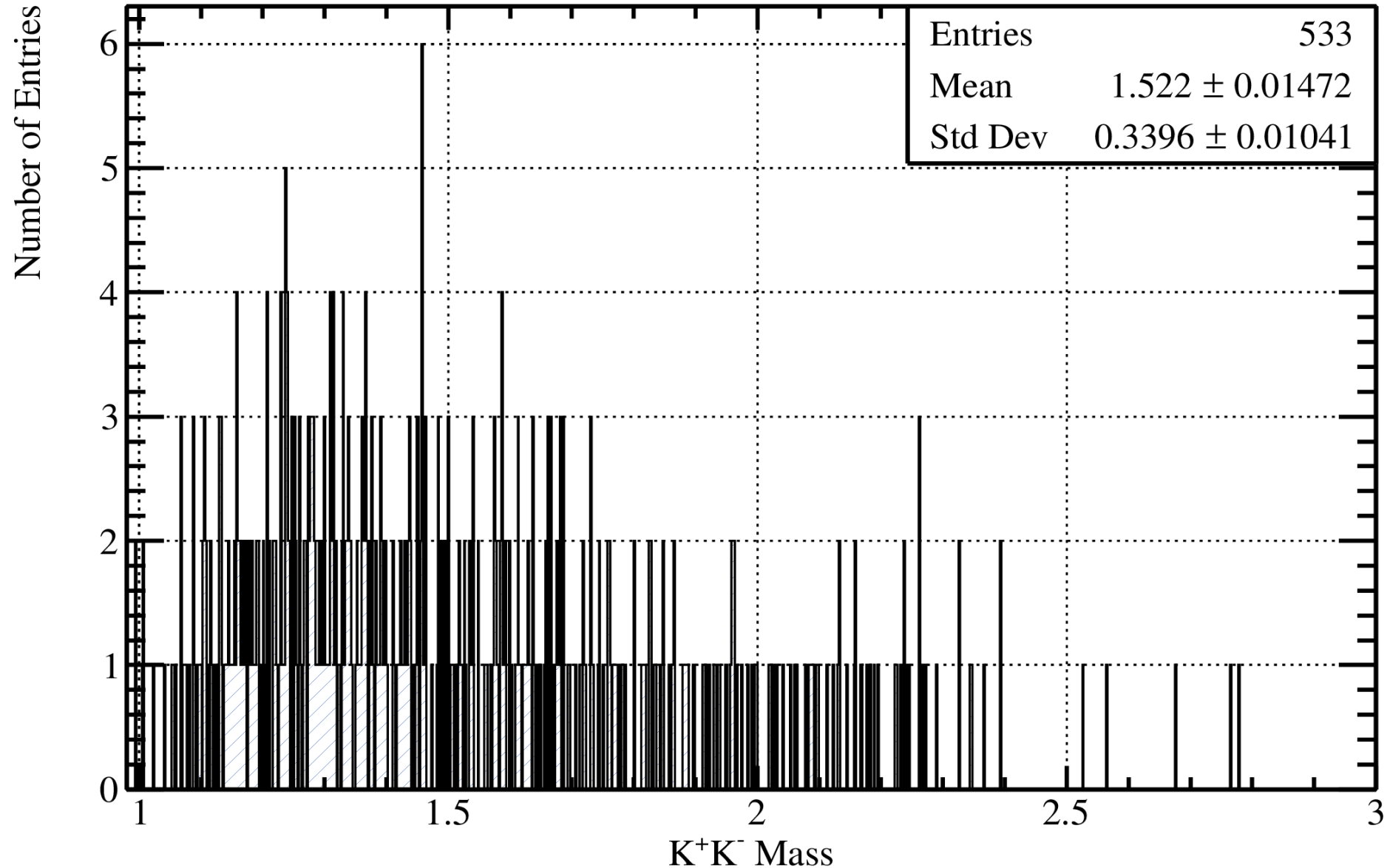
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=1 [ $x=-0.5..0.5$ ] [ $K_{\text{BCAL}}^+ K_{\text{BCAL}}^-$ ]



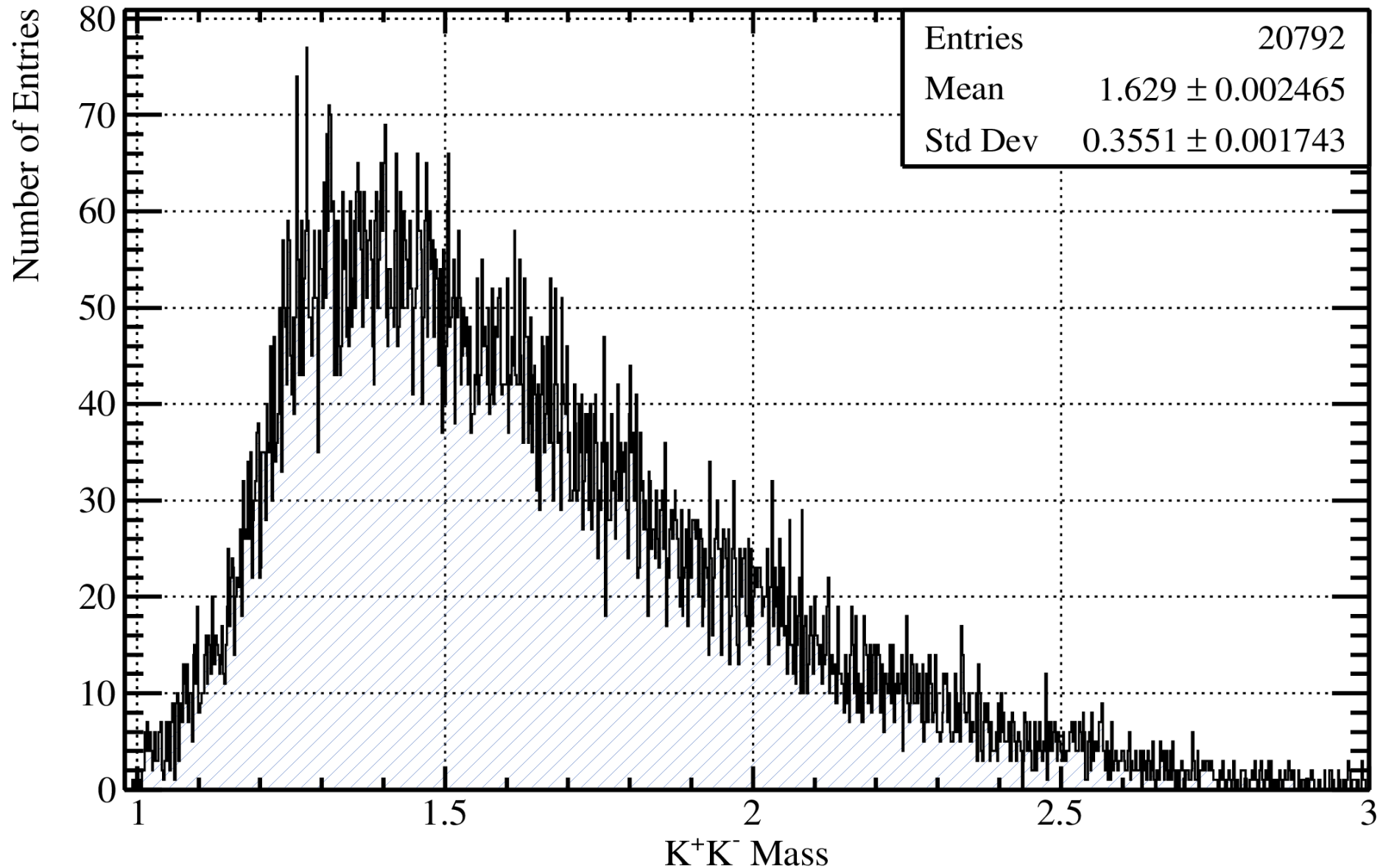
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=2 [x=0.5..1.5] [ $K_{\text{BCAL}}^+ K_{\text{FCAL}}^-$ ]



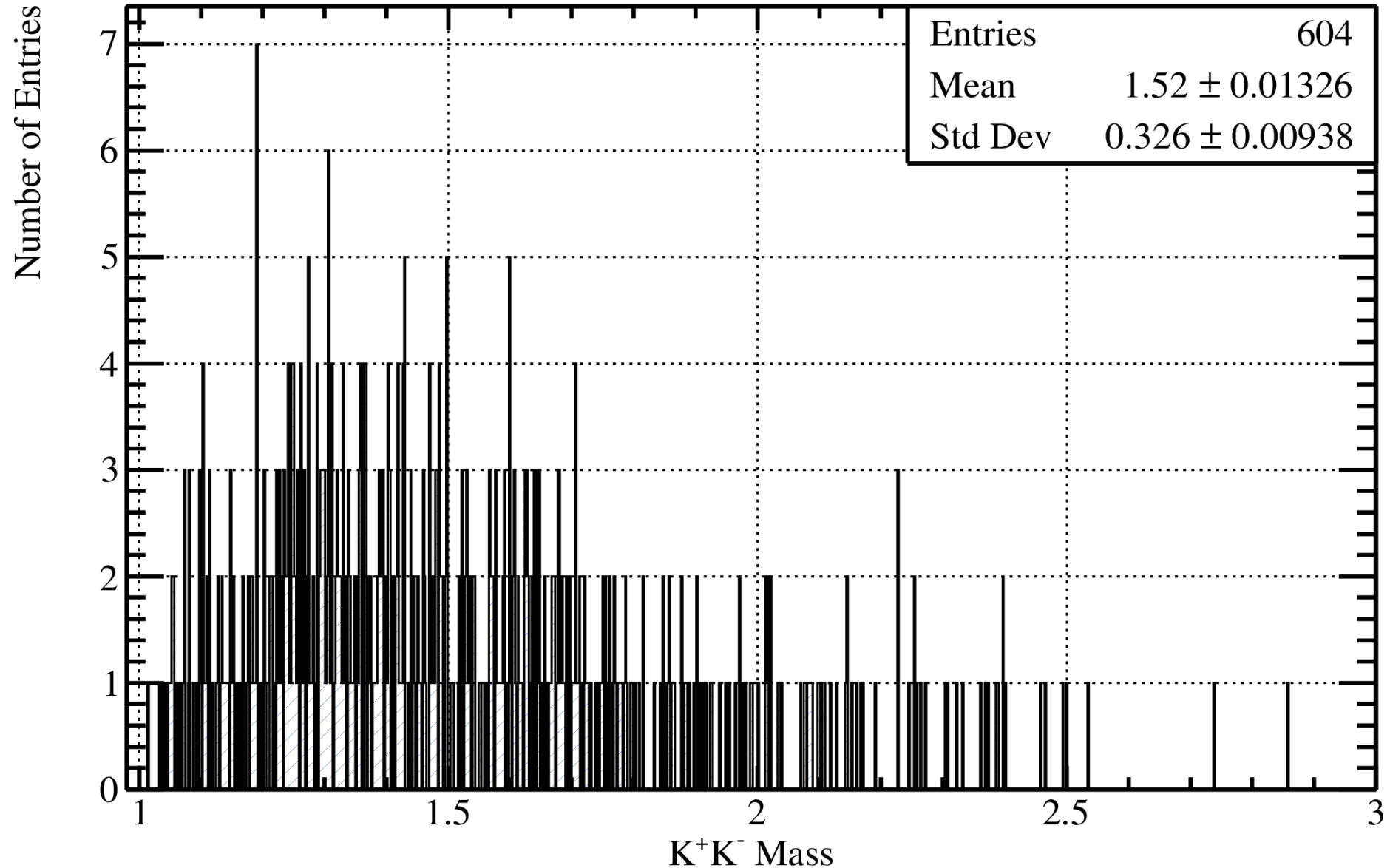
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=3 [ $x=1.5..2.5$ ] [ $K_{\text{BCAL}}^+ K_{\text{TOF}}^-$ ]



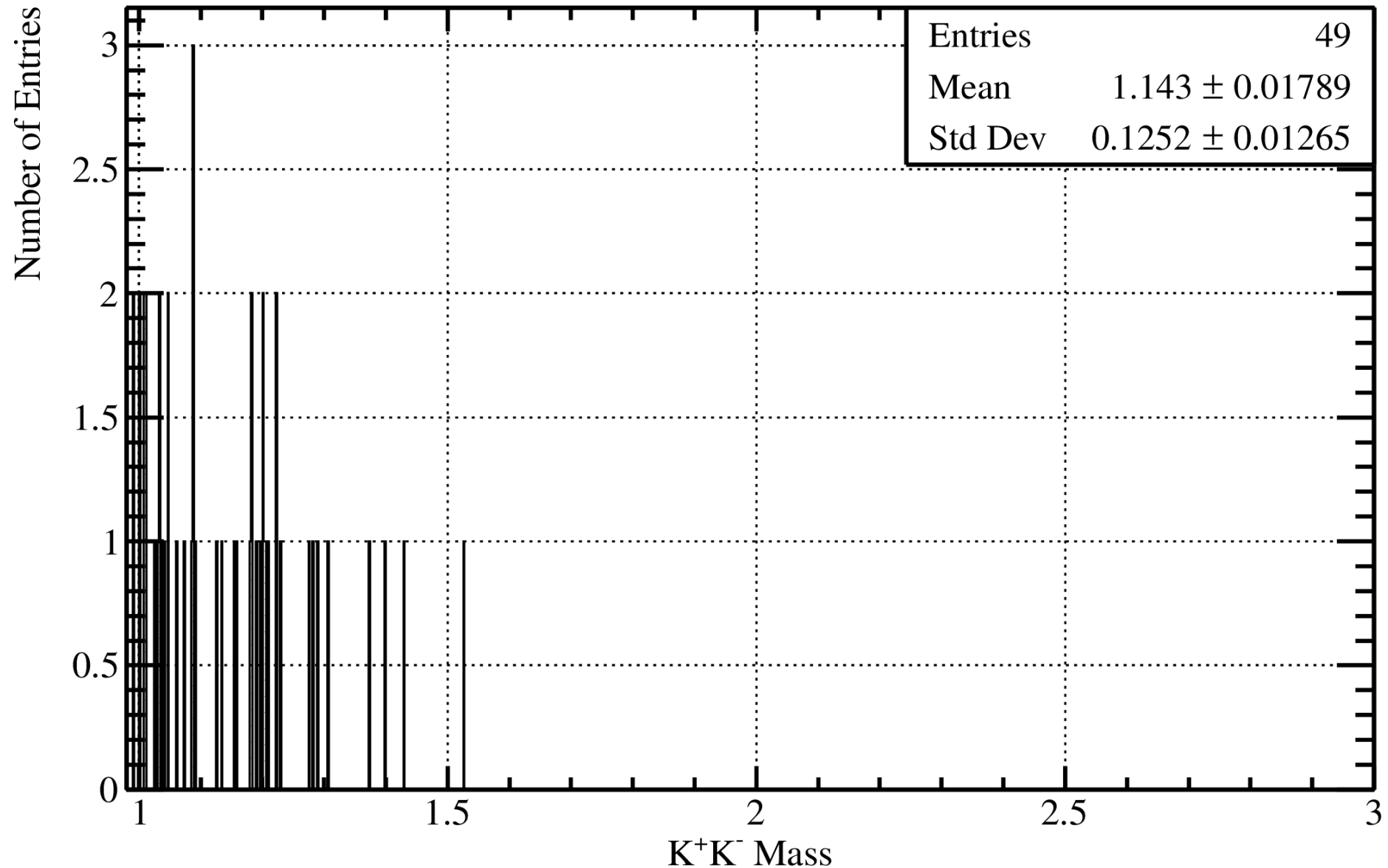
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=4 [ $x=2.5..3.5$ ] [ $K_{\text{FCAL}}^+ K_{\text{BCAL}}^-$ ]



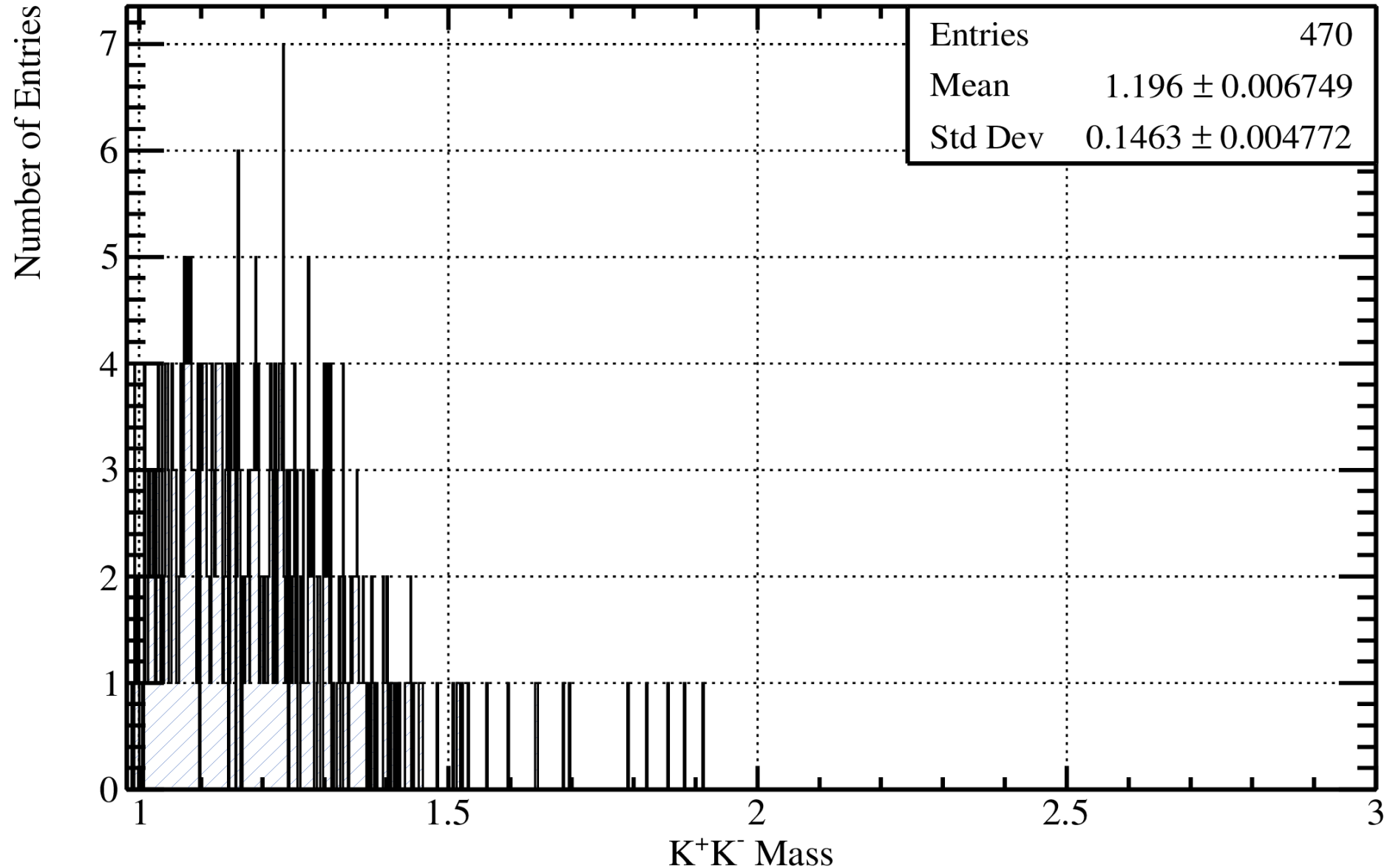
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=5 [x=3.5..4.5] [ $K_{\text{FCAL}}^+ K_{\text{FCAL}}^-$ ]



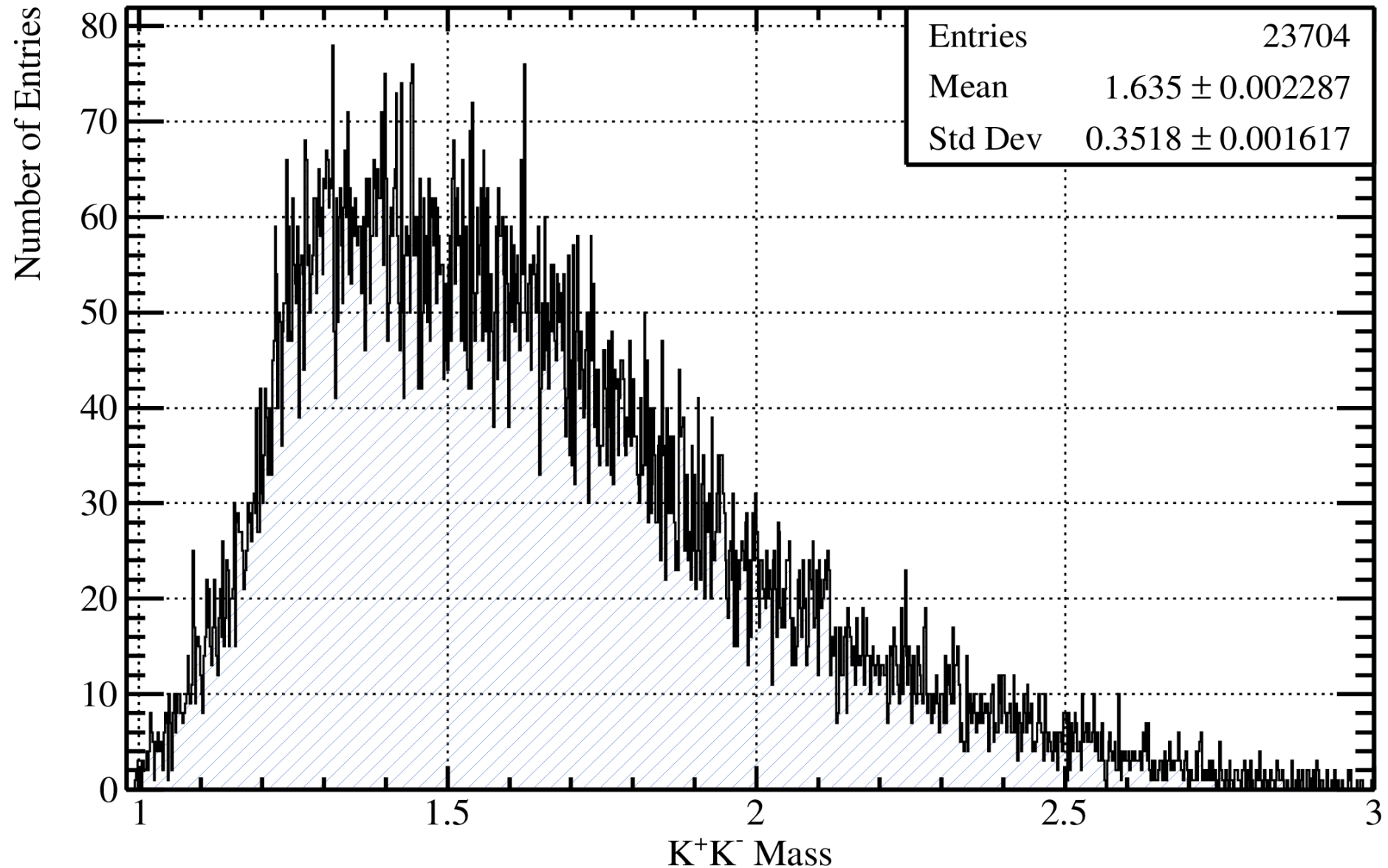
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=6 [x=4.5..5.5] [ $K_{\text{FCAL}}^+ K_{\text{TOF}}^-$ ]



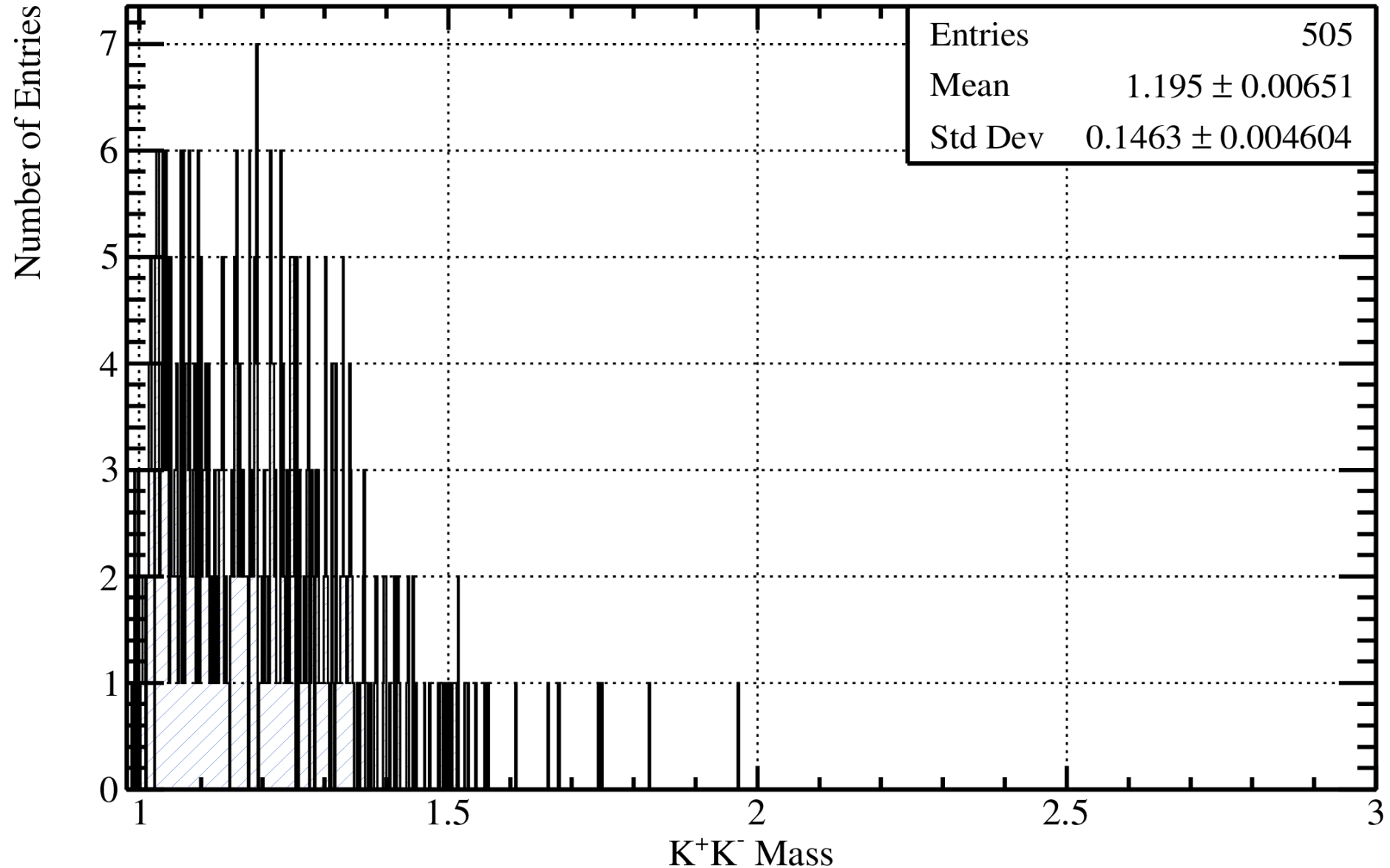
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

Projection Y of binx=7 [x=5.5..6.5] [ $K_{\text{TOF}}^+ K_{\text{BCAL}}^-$ ]



# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

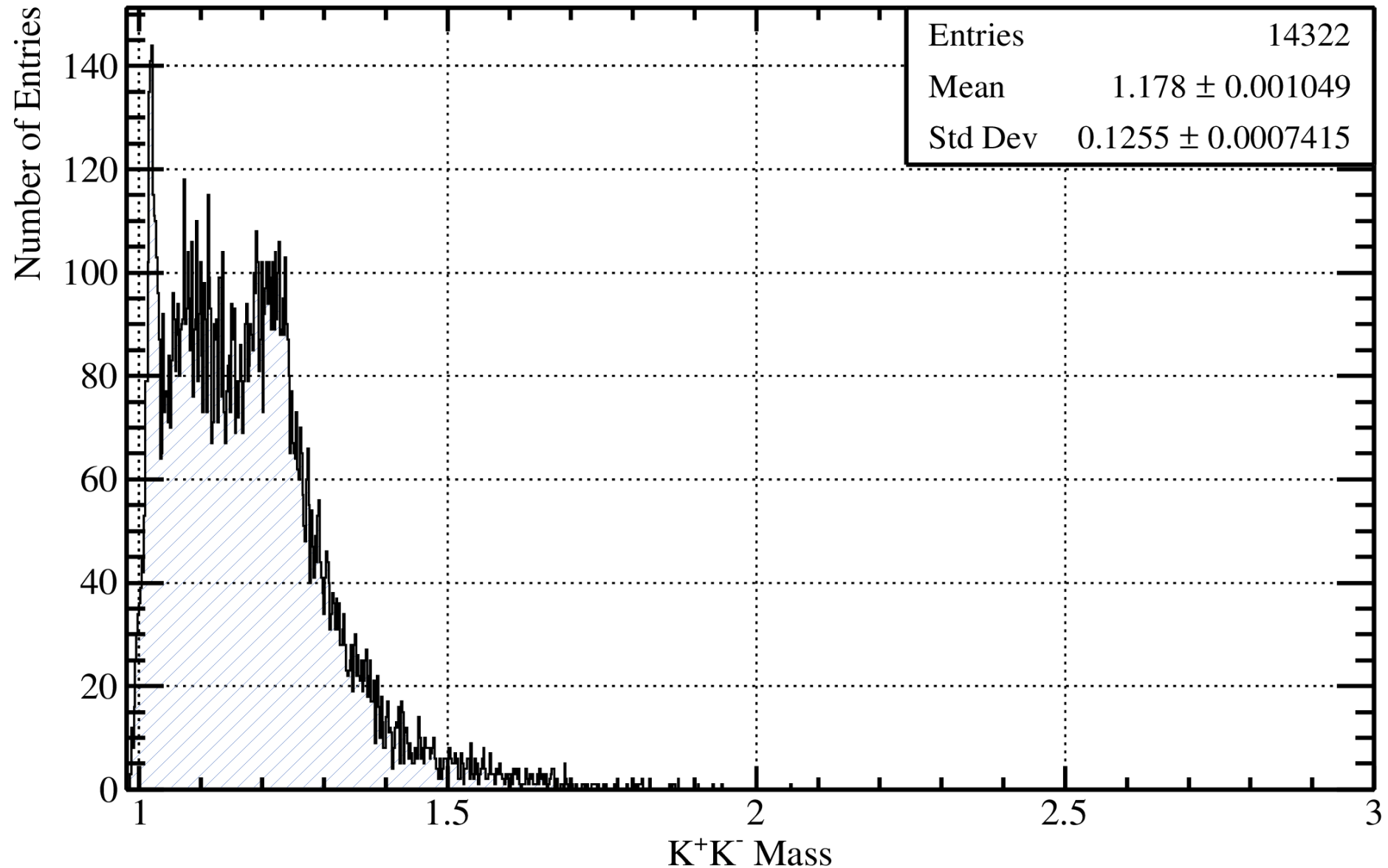
Projection Y of binx=8 [x=6.5..7.5] [ $K_{\text{TOF}}^+ K_{\text{FCAL}}^-$ ]





# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (TOF Only)

ProjectionY of binx=9 [x=7.5..8.5] [ $K_{\text{TOF}}^+ K_{\text{TOF}}^-$ ]



# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ (TOF Only)

- Conclusion: Cut out all Kaon timing that does not come from the TOF detector.
- Is there a way to remove more background from the  $K^+K^-$  invariant mass spectra using strangeness conservation?

# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (Strangeness Conservation)

- The timing of a particle in flight is given by:

$$t = \frac{\delta X}{V} = \frac{\delta X}{\beta c}$$

- We can substitute beta to get the following equation:

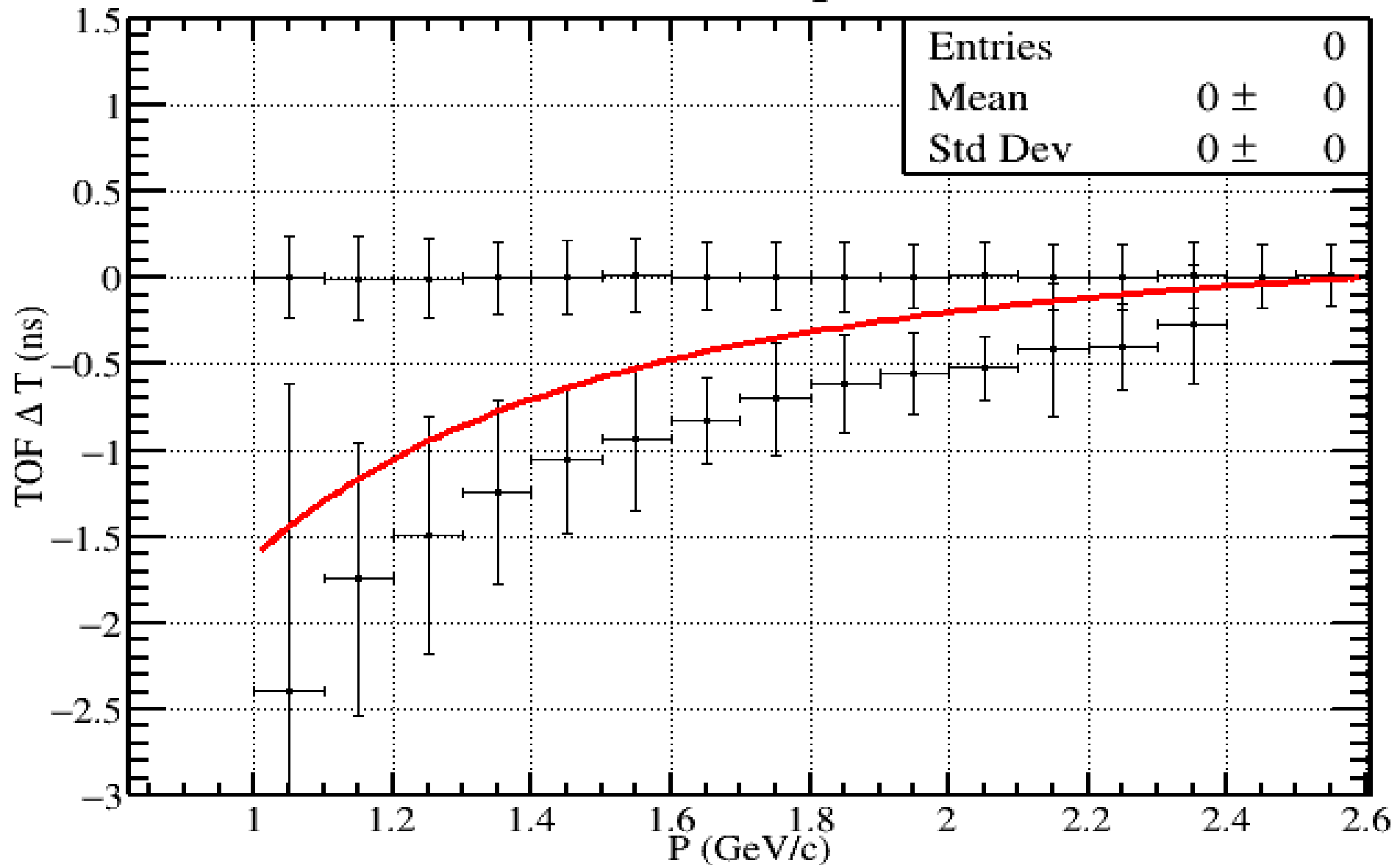
$$t = \frac{\delta X}{c} \frac{\sqrt{m_i^2 + P^2}}{P}$$

- Therefore, the timing difference between pions and kaons can be written as a formula for the reconstructed momentum P:

$$\delta t = \frac{\delta X}{c} \frac{\sqrt{m_\pi^2 + P^2} - \sqrt{m_K^2 + P^2}}{P}$$

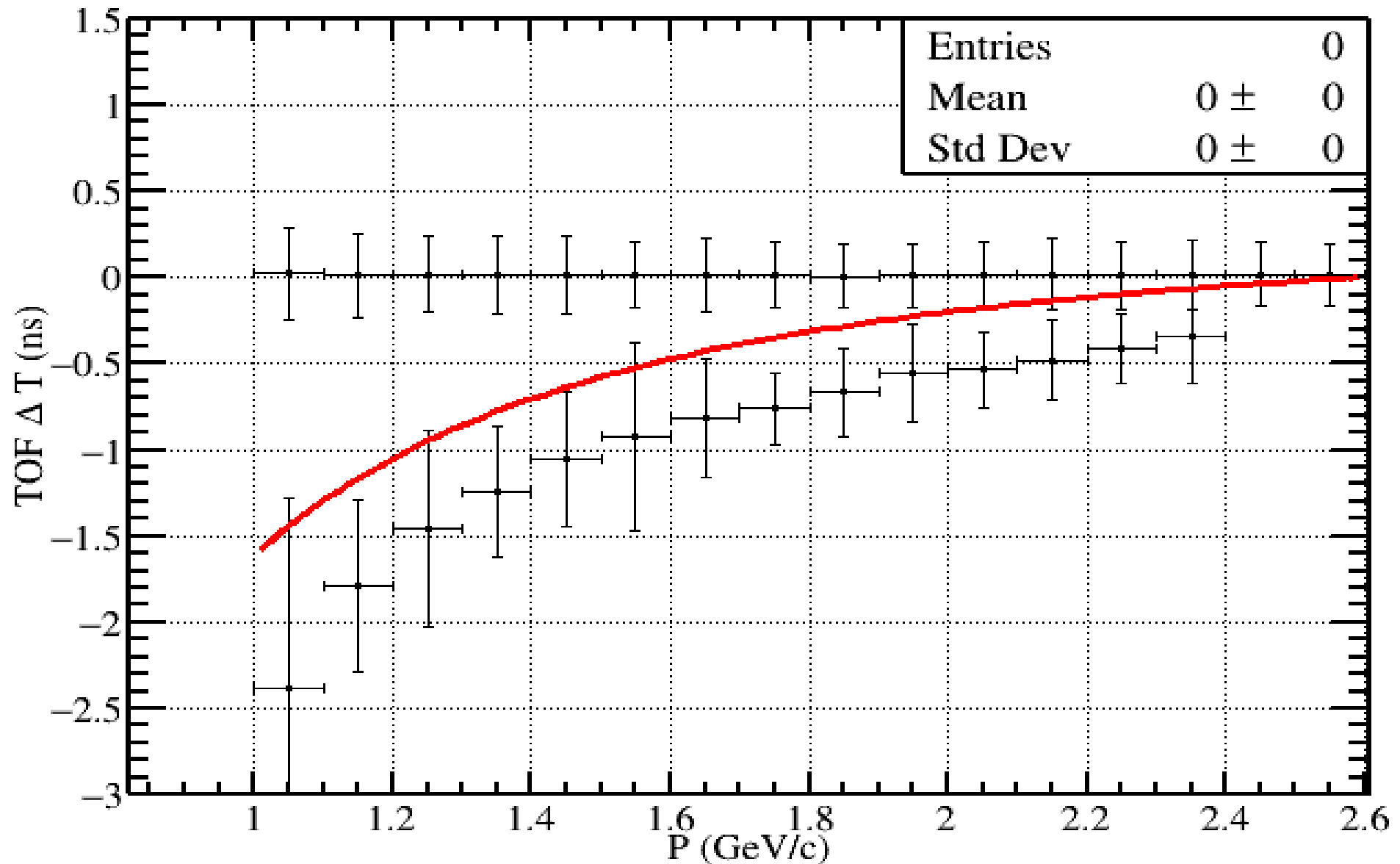
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (Strangeness Conservation)

$\Delta T$  Vs  $P$ :  $K^+$  Timing in TOF (MC)



# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (Strangeness Conservation)

$\Delta T$  Vs  $P$ :  $K^-$  Timing in TOF (MC)

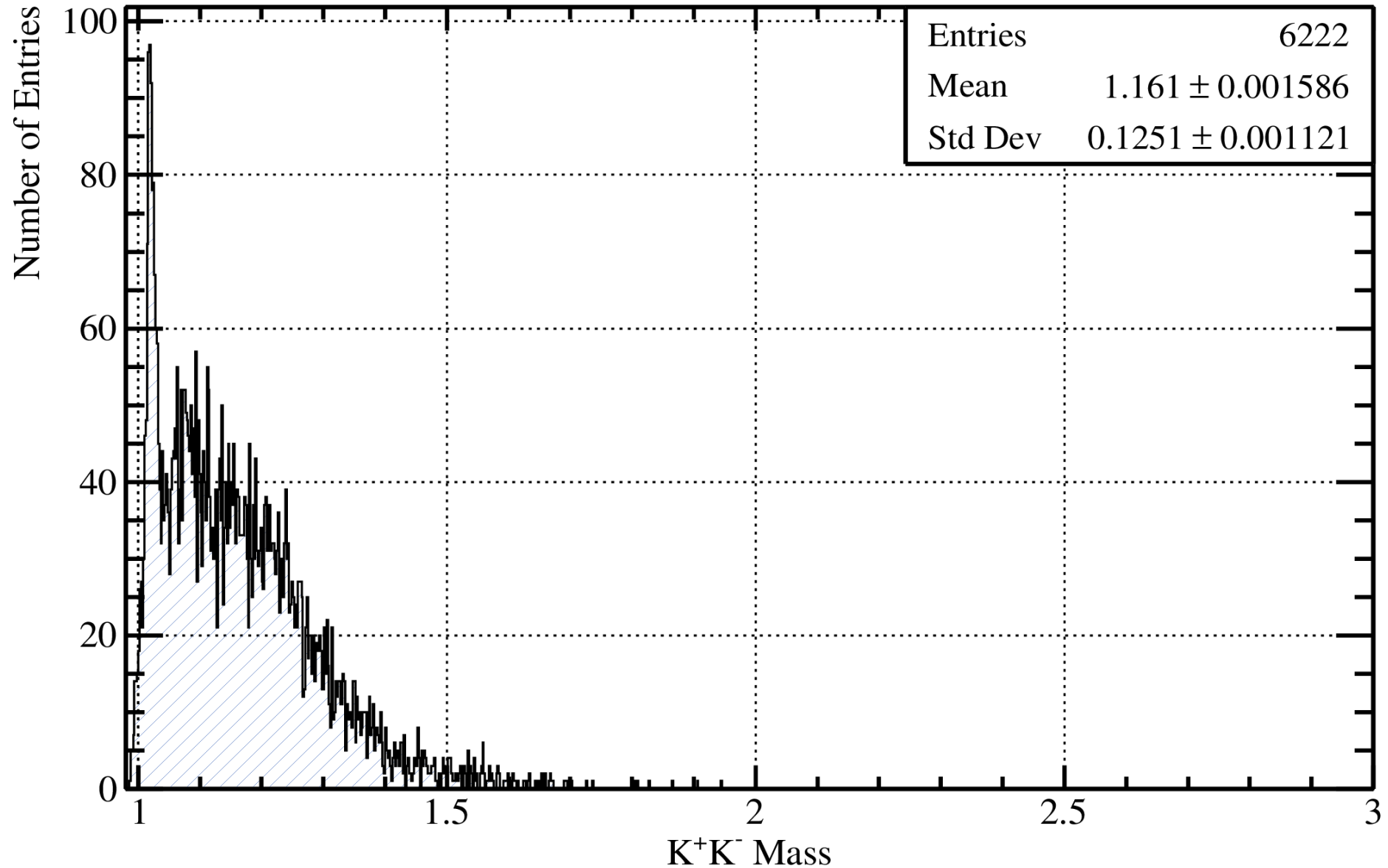


# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (Strangeness Conservation)

- How to apply this cut technique and enforce strangeness conservation:
  - A kaon is considered 'good' if it exists above or to the left of the cut line
  - A kaon is considered 'bad' if it exists below or to the right of the cut line
  - We accept any combination with two 'good' Kaons
  - We accept any combination with one 'good'  $K^+$  or  $K^-$
  - We throw out only combinations that have both a 'bad'  $K^+$  and a 'bad'  $K^-$

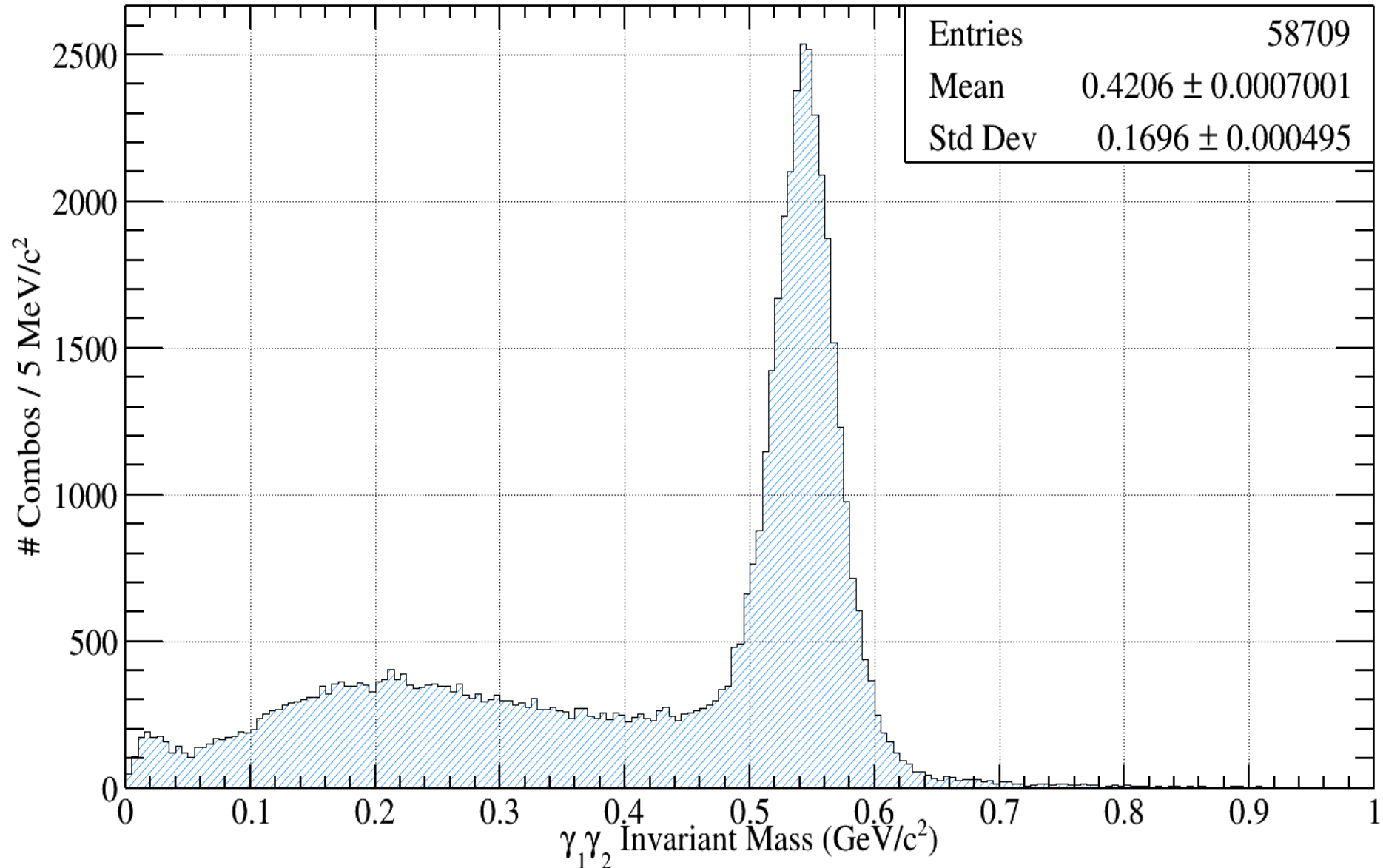
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (Strangeness Conservation)

Projection Y of binx=9 [x=7.5..8.5] [ $K_{\text{TOF}}^+ K_{\text{TOF}}^-$ ]



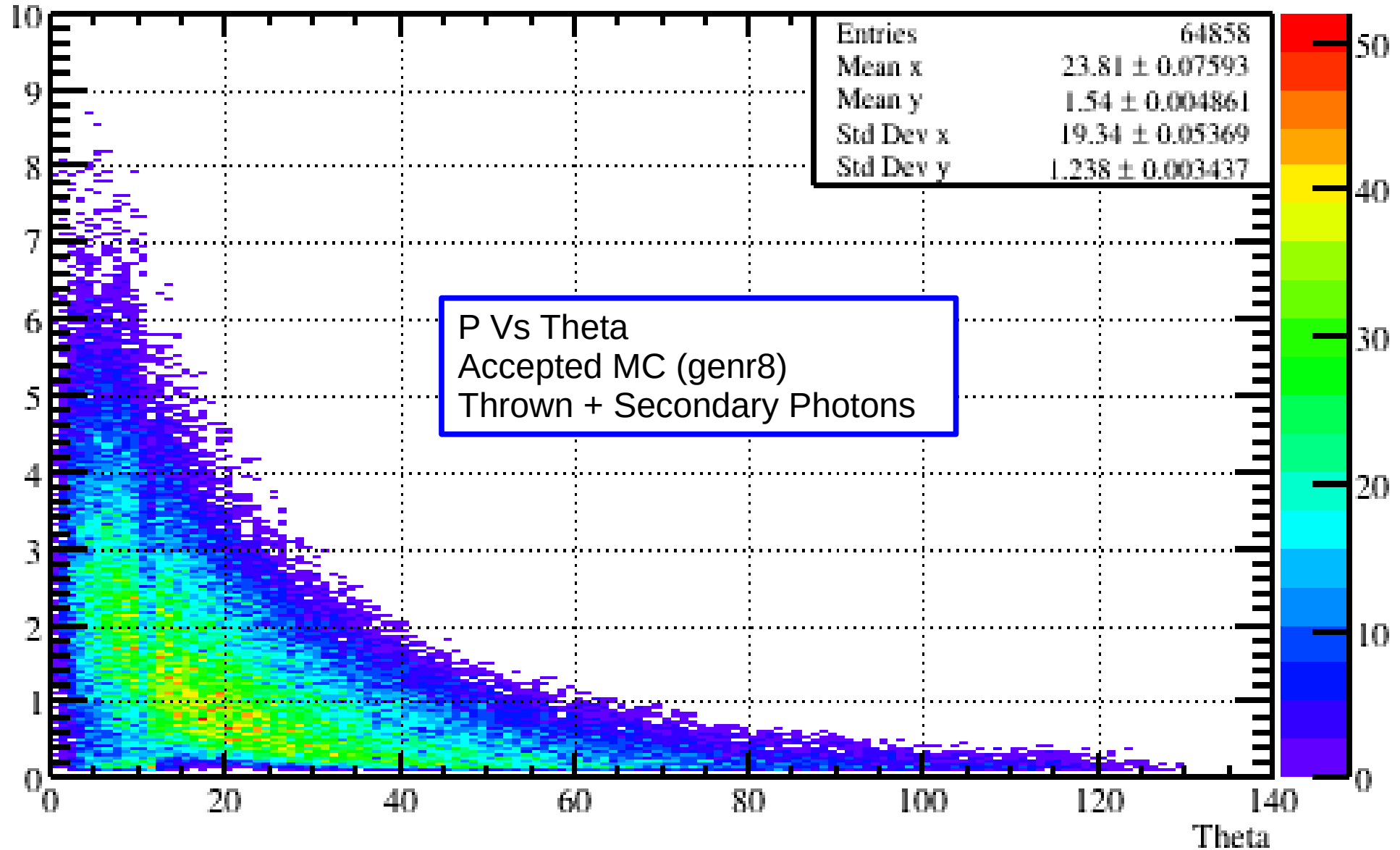
# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (Fiducial Cut for Photons)

$\gamma_1\gamma_2$  Invariant Mass [Accepted MC]



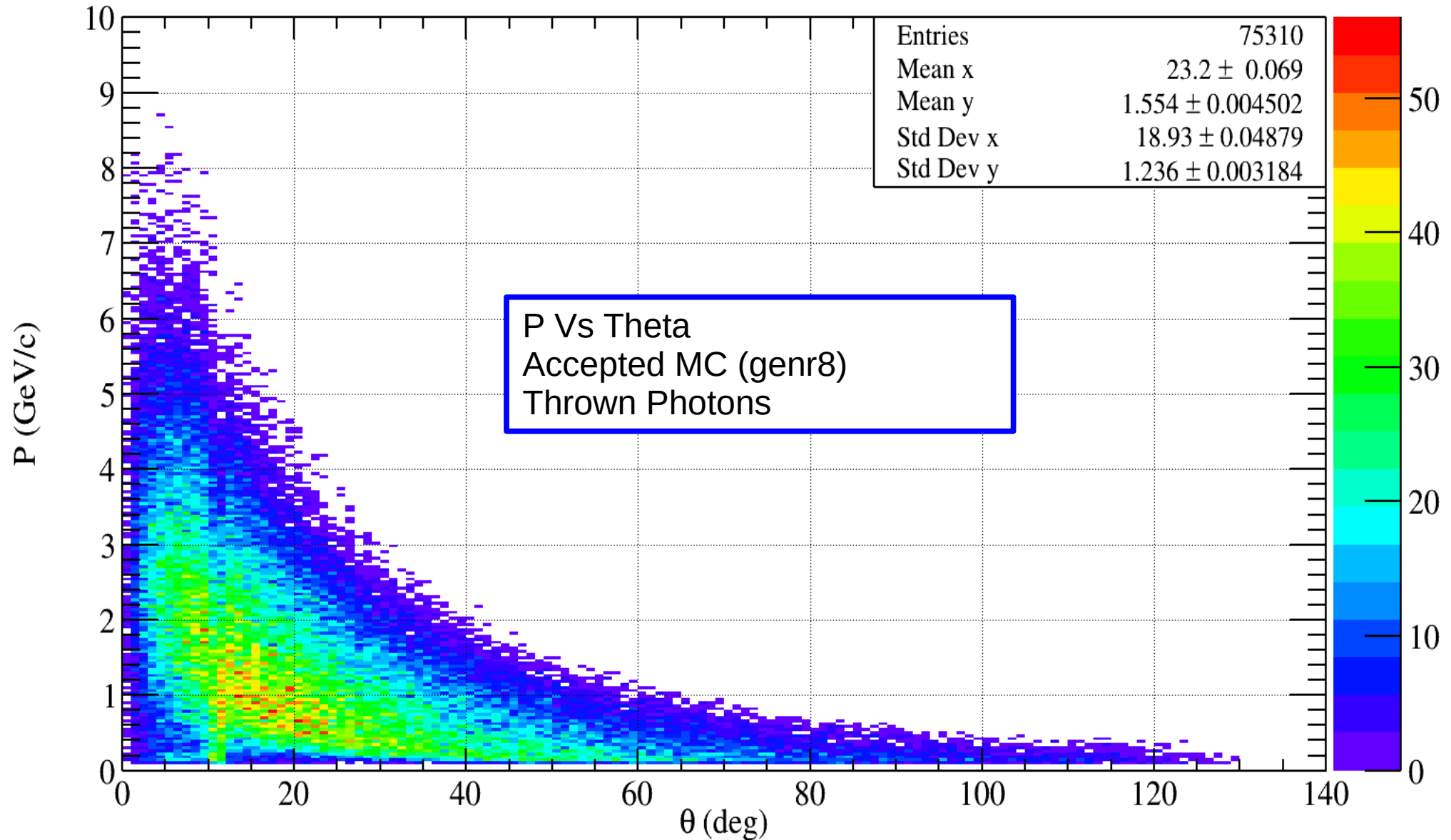


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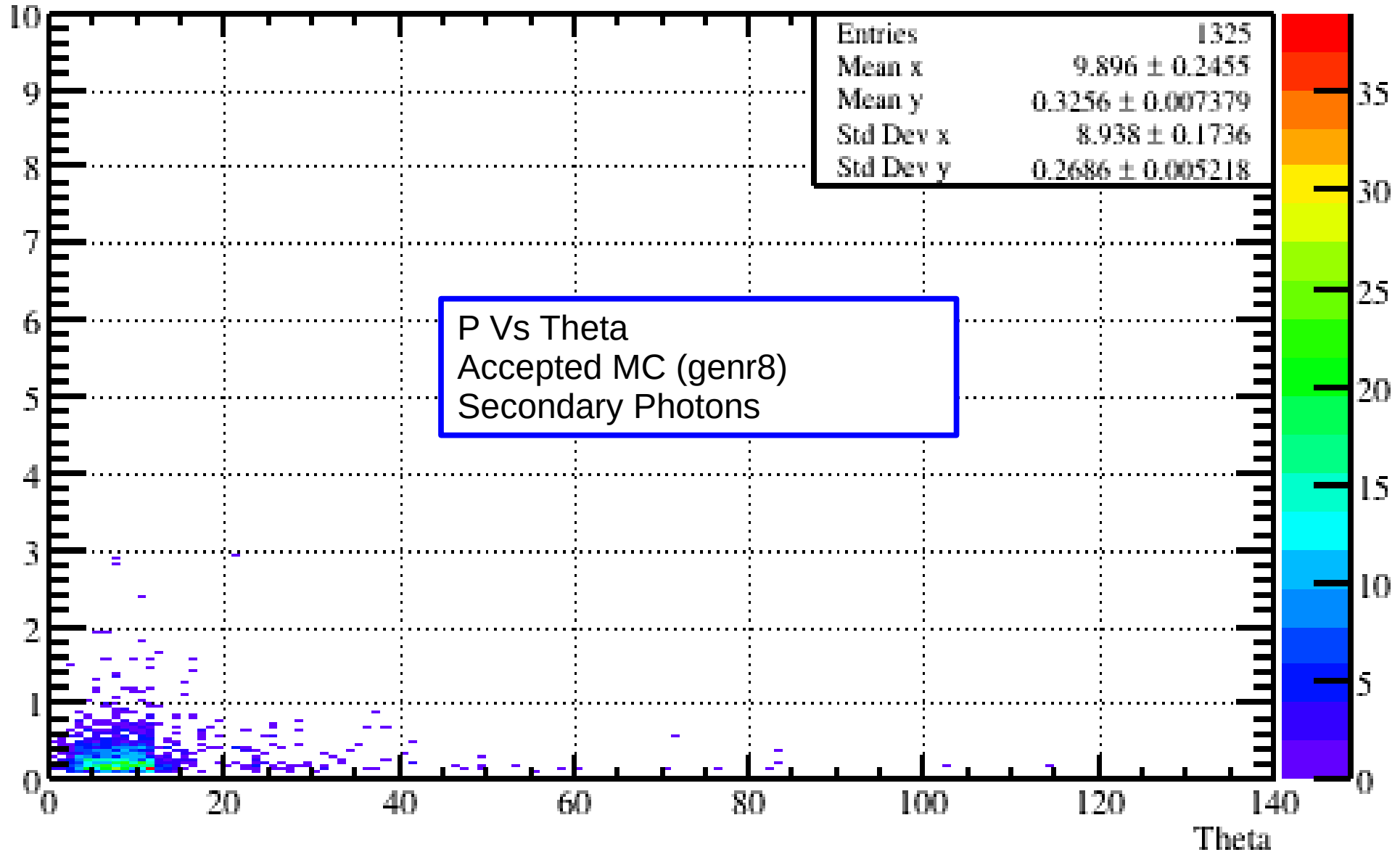


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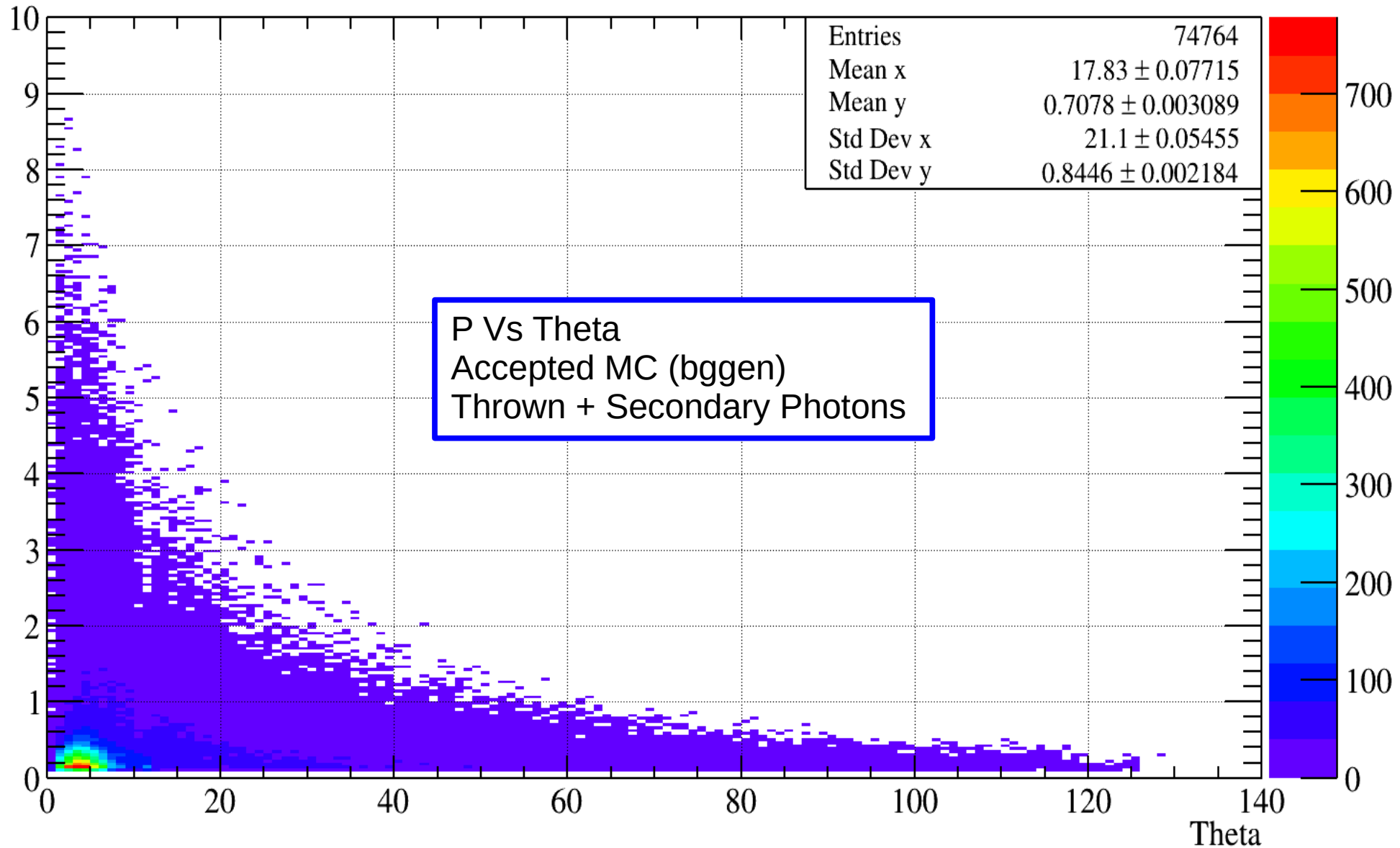
Reconstructed P Vs  $\theta$  for  $\gamma$ 's [Thrown MC]



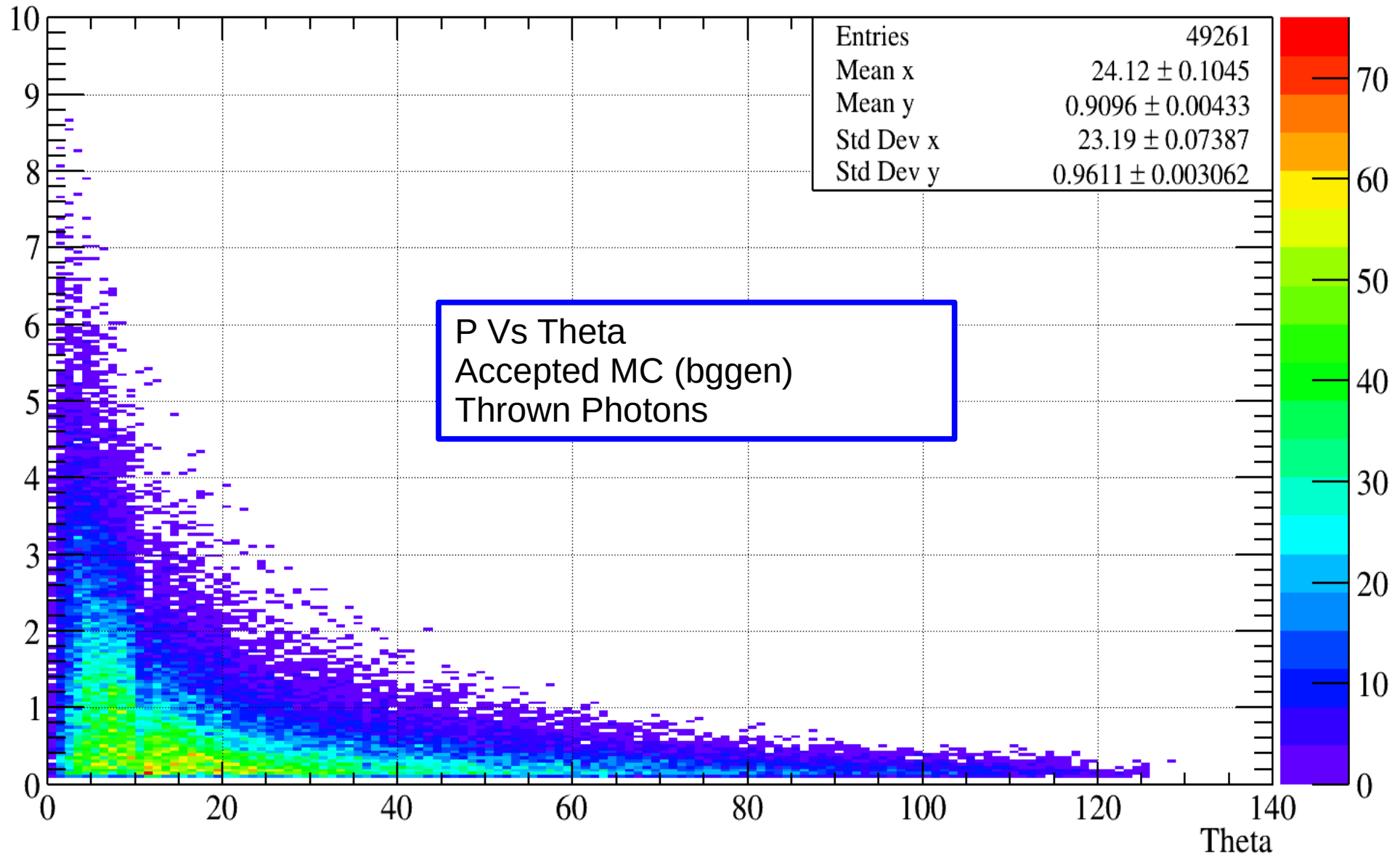
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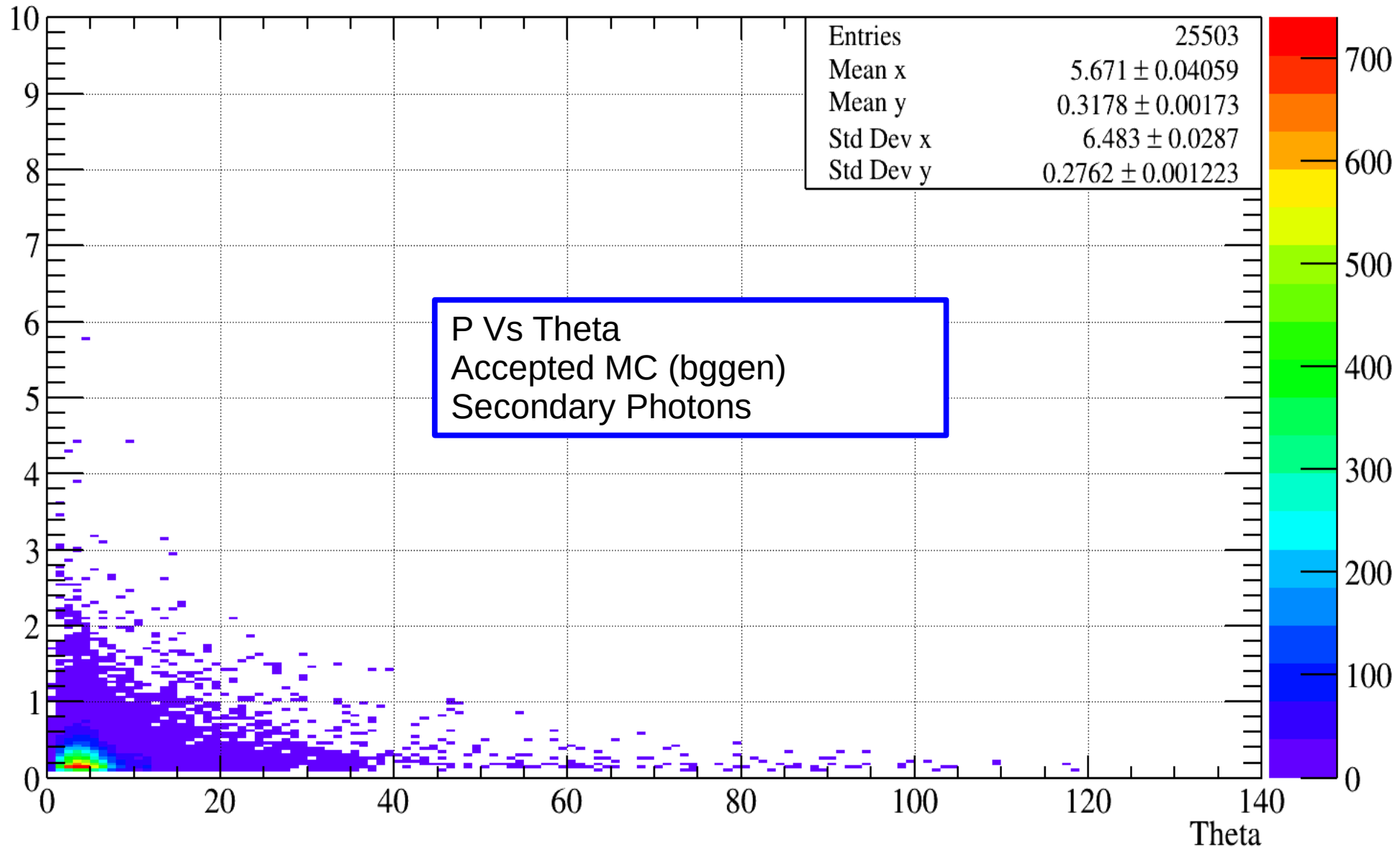
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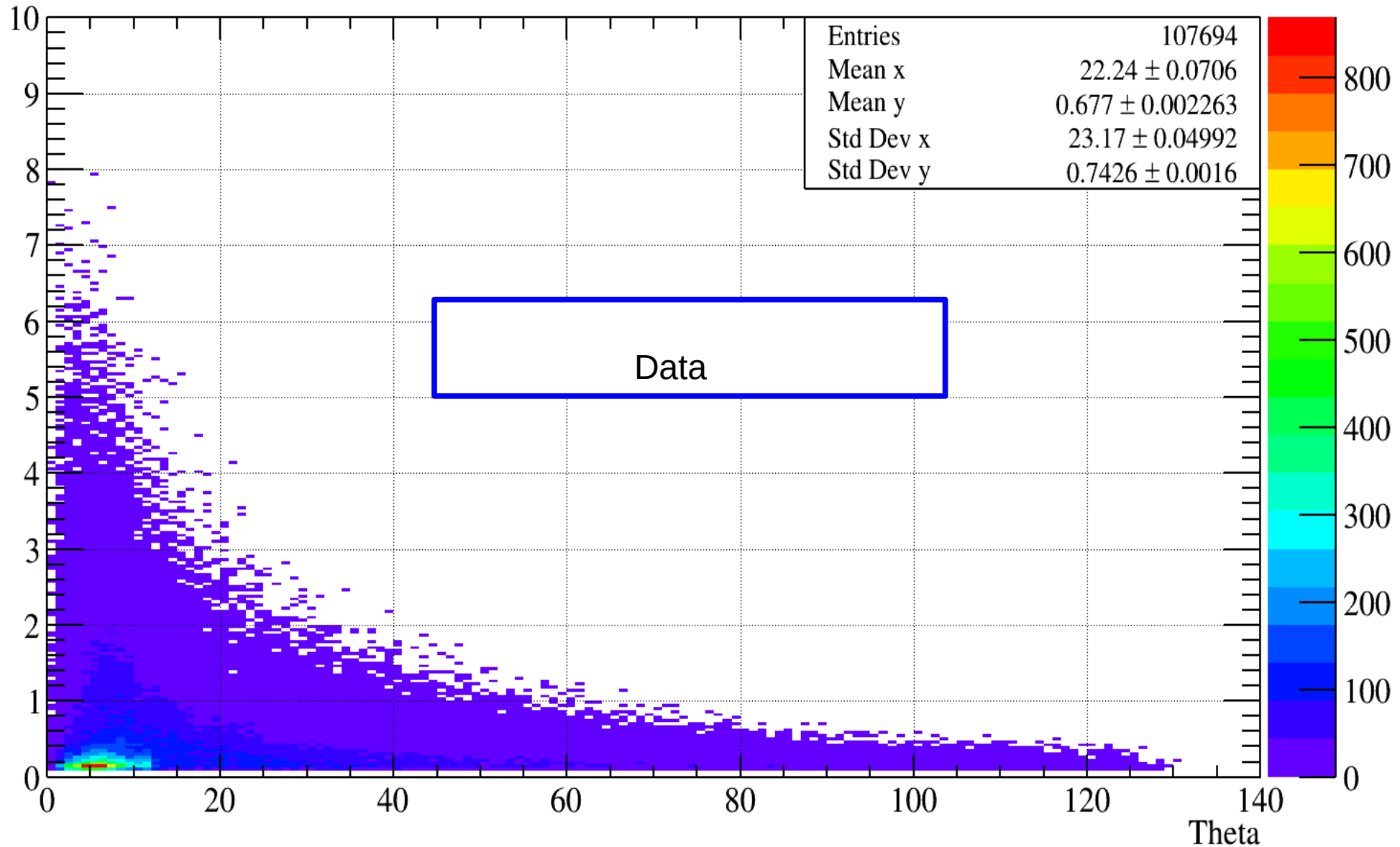
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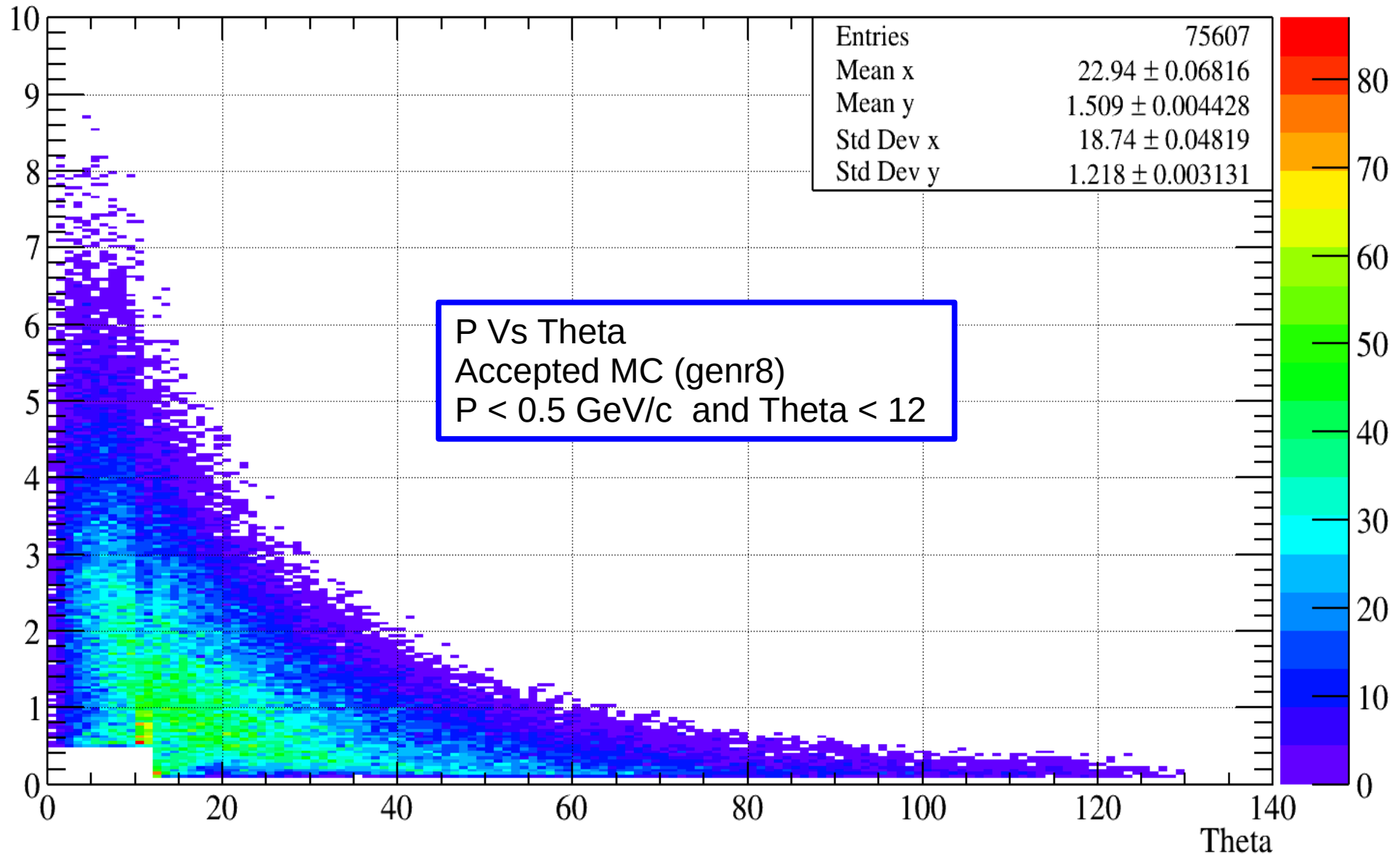
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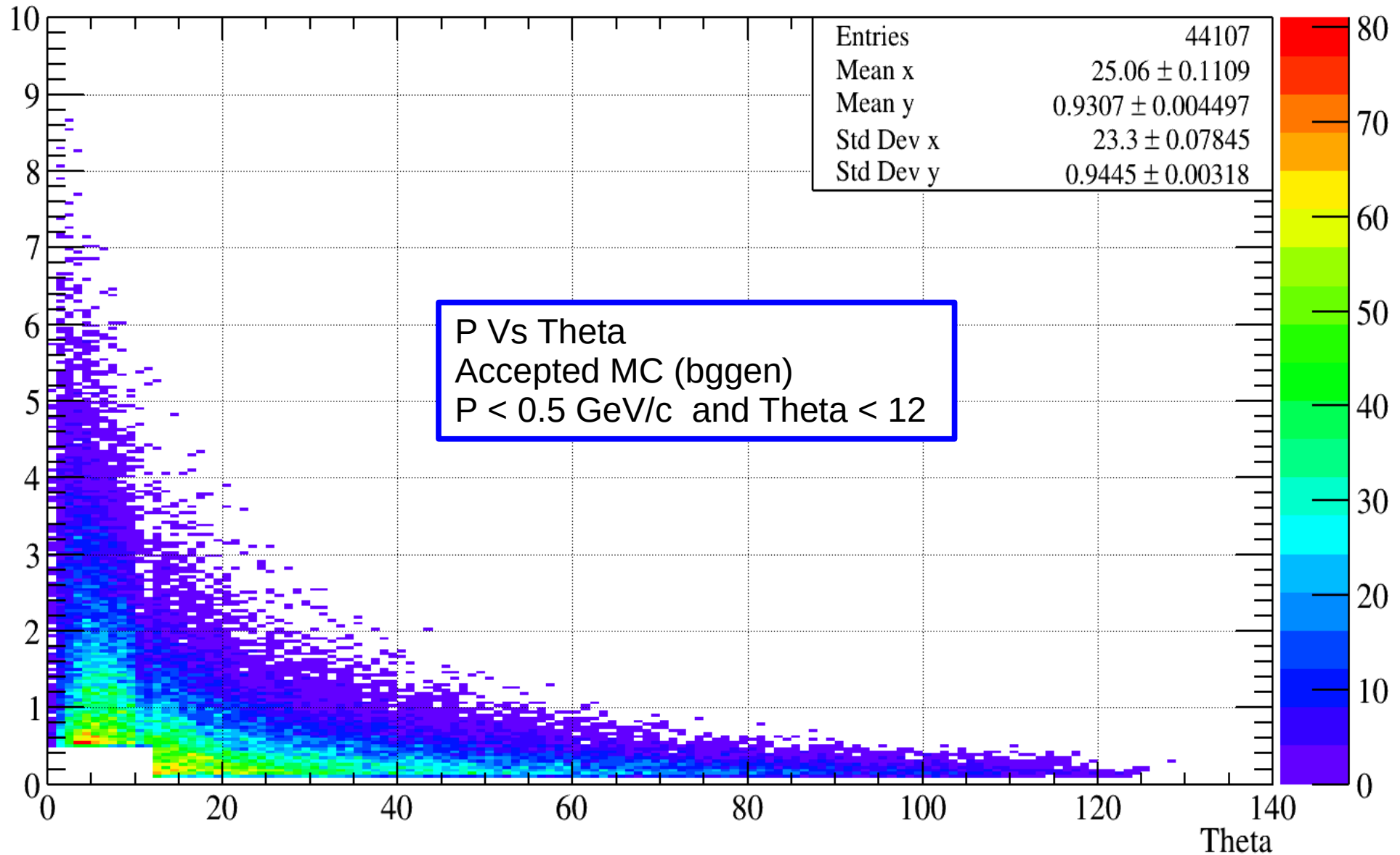


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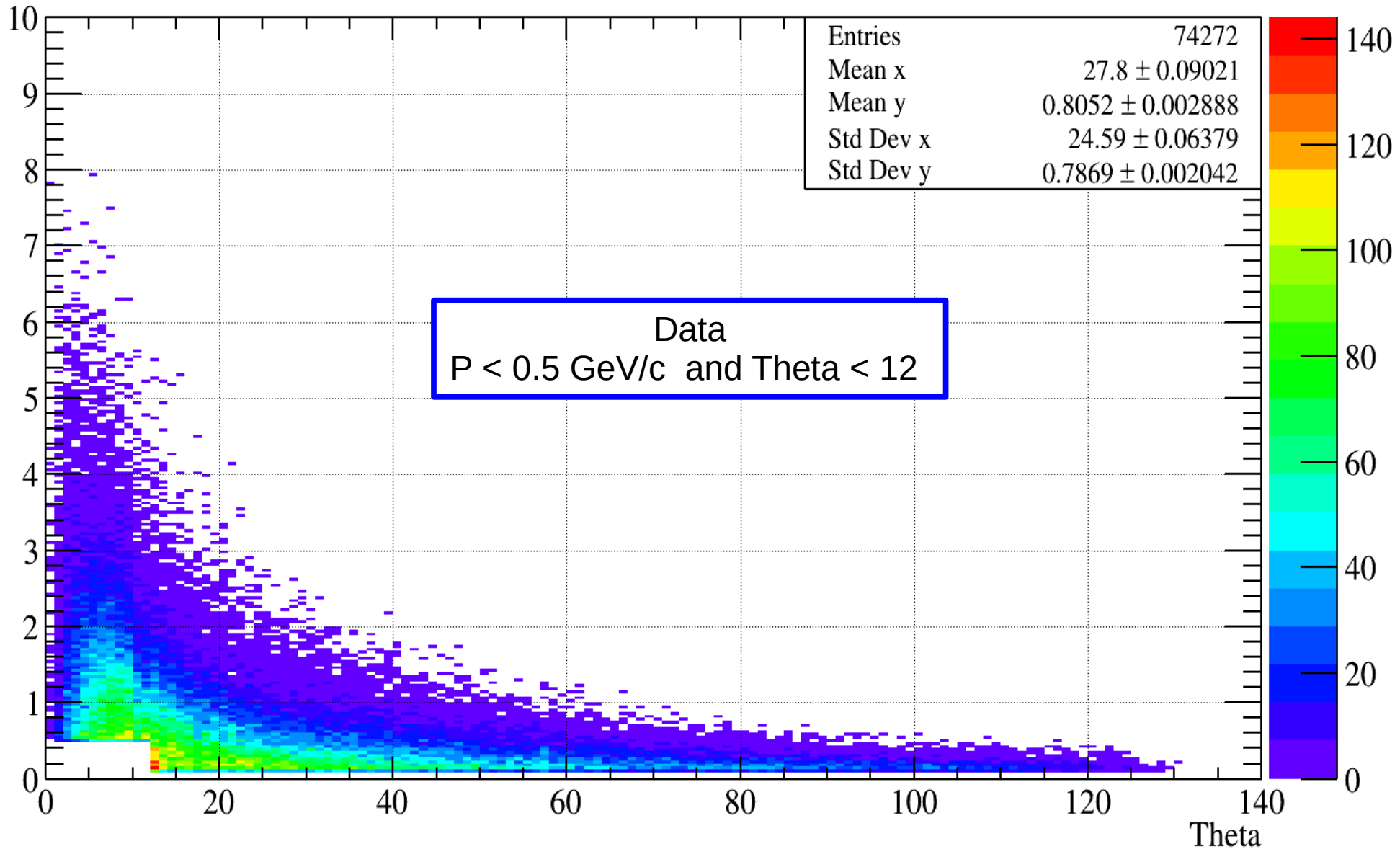




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# Additional Cuts Specifically for $\gamma p \rightarrow p\Phi\eta$ : (Last Cuts)

- Unused Energy of Photons  $< 50$  MeV
- $-0.02 \leq \text{Missing Mass Squared} \leq 0.02$

# Quality Factor Study

- A method for separating signal and background
- M. Williams, M. Bellis, and C. A. Meyer "Separating Signals from Non-Interfering Backgrounds using Probabilistic Event Weightings."

## Assumption:

- A given event has a set of other events which it shares similar kinematic features with. These are called nearest neighbors
- Plotting the invariant mass of that event with its nearest neighbors provides insight into the "Quality Factor" or probability that the event is signal or background

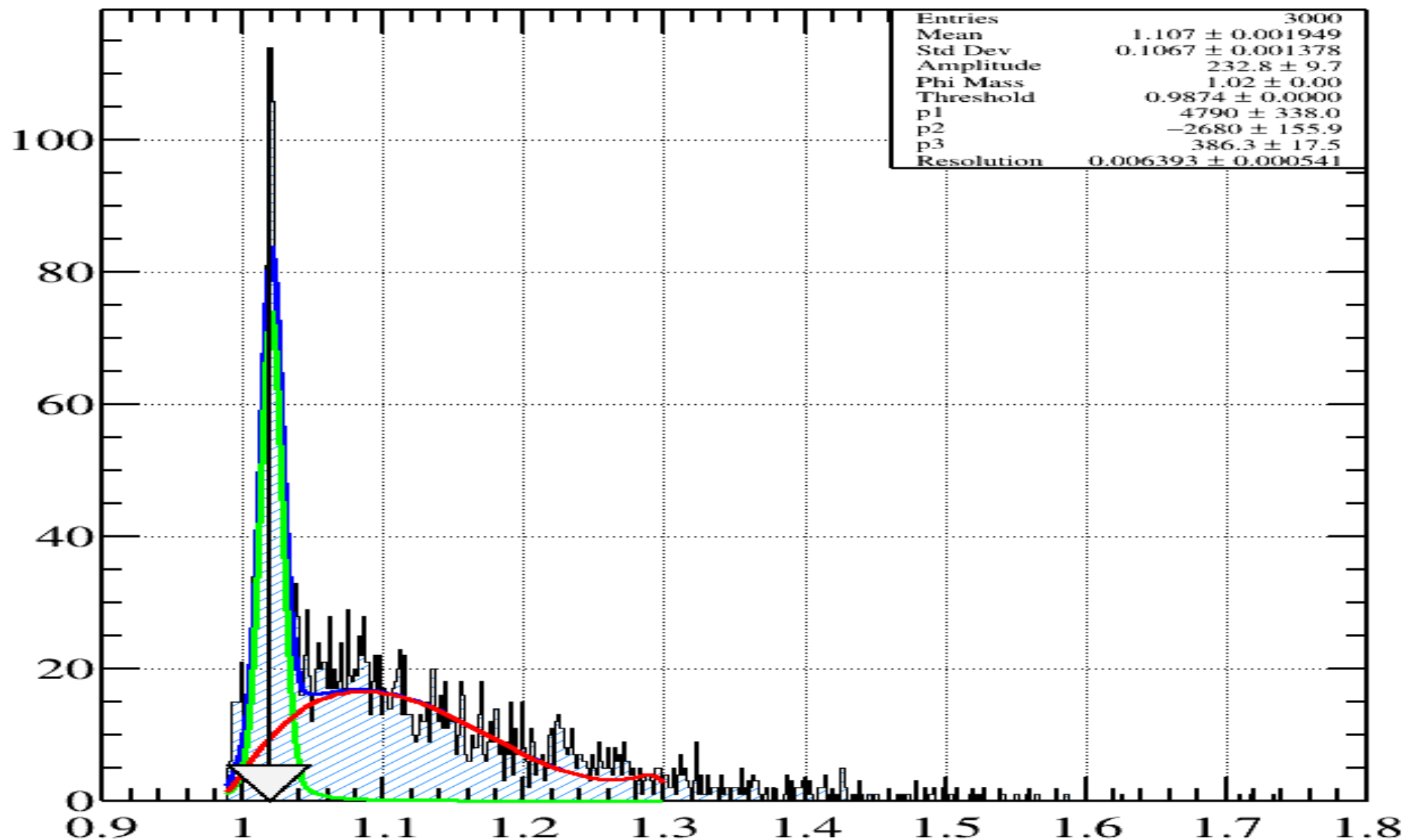
# Quality Factor Study

## Algorithm:

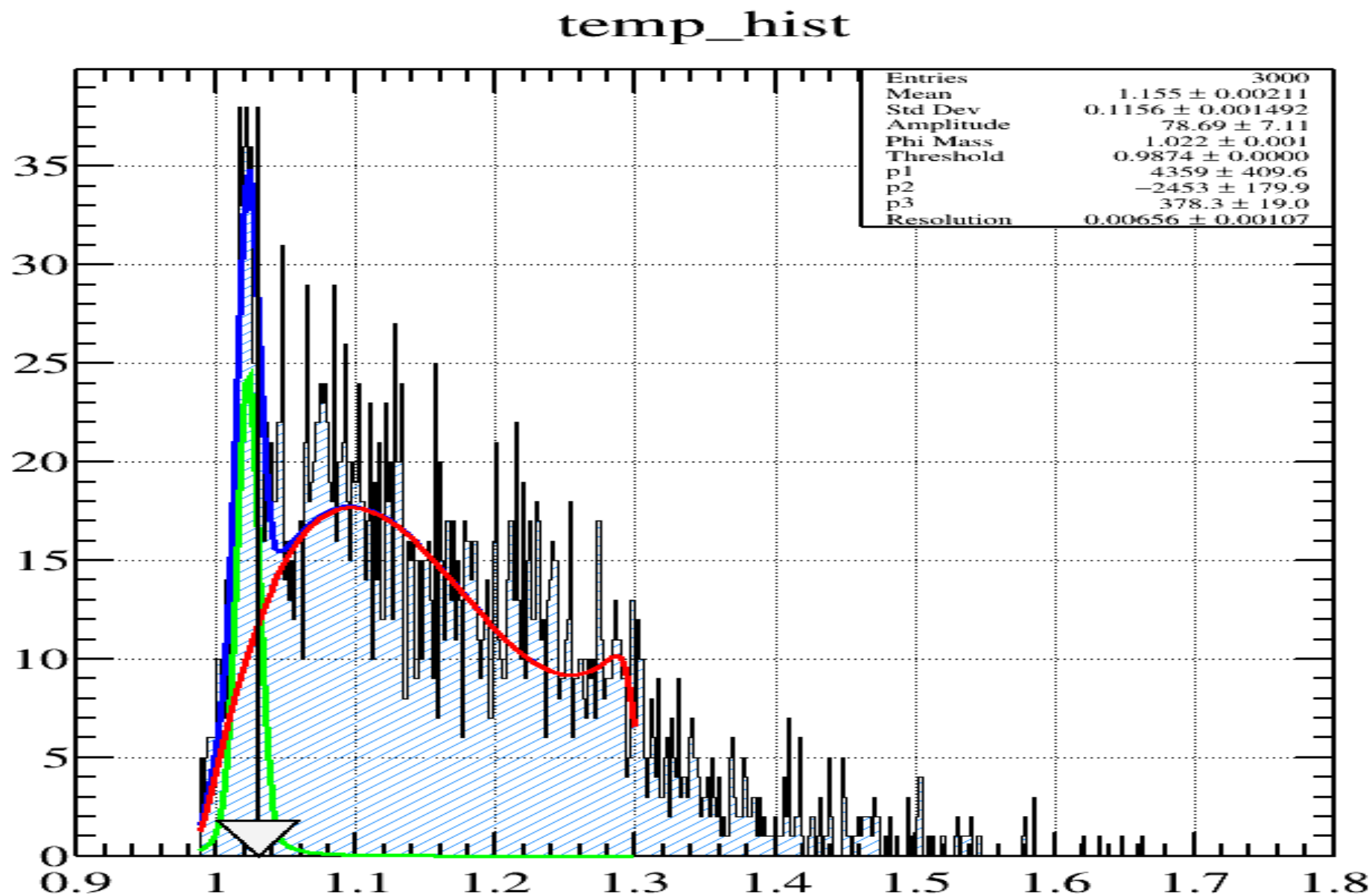
- For a given event, calculate a kinematic distance between that event and all other events
- Only accept the N nearest neighbors to that event
- Plot the K+K- and gg invariant mass for the N nearest neighbors
- Fit each invariant mass distribution with a signal function plus a background function
- Calculate the number of signal and background events at the mass value of the event using the fits
- Assign a Q-Factor to the event:  $Q = s / (s+bg)$

# Quality Factor Study

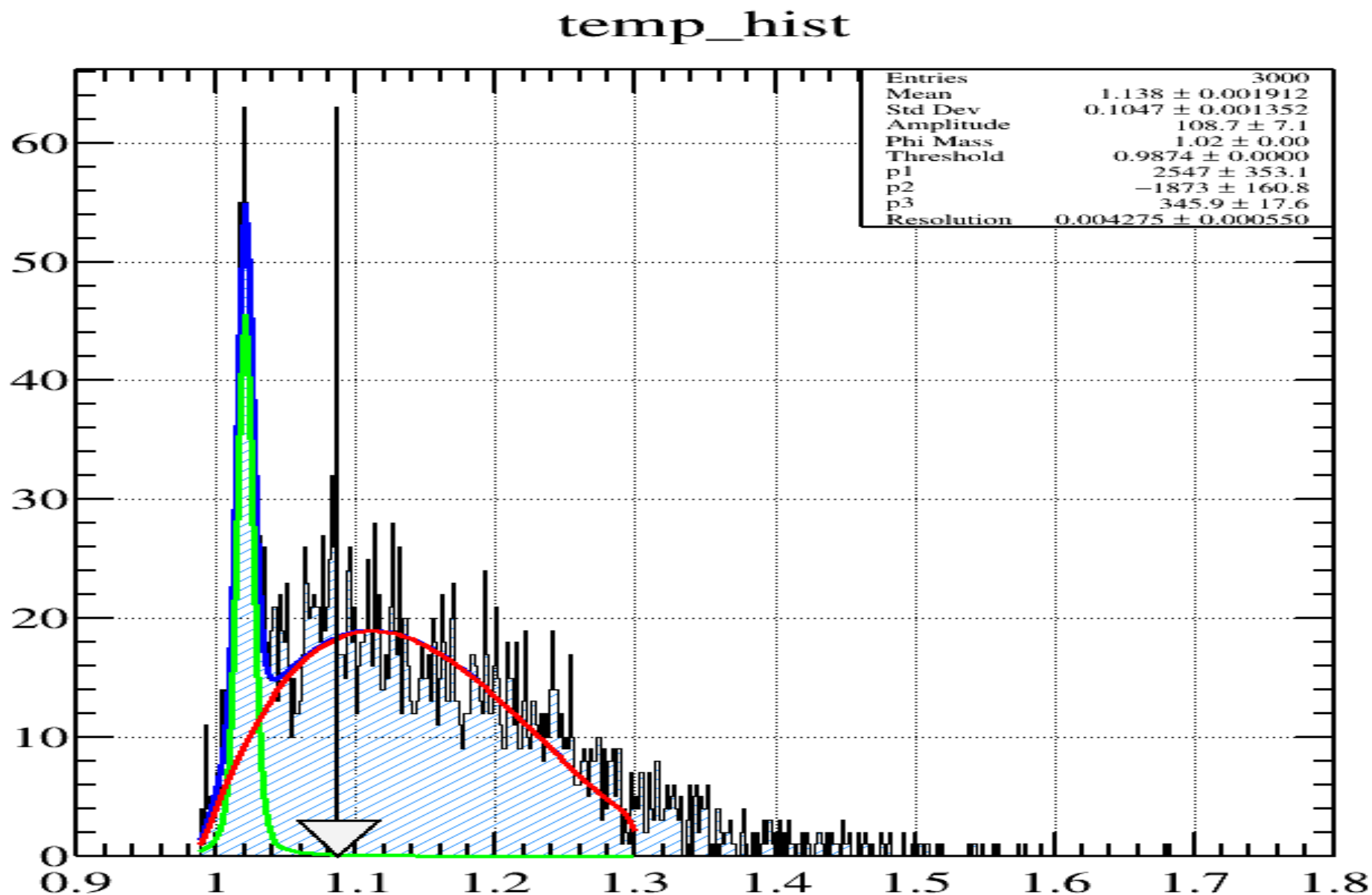
temp\_hist



# Quality Factor Study



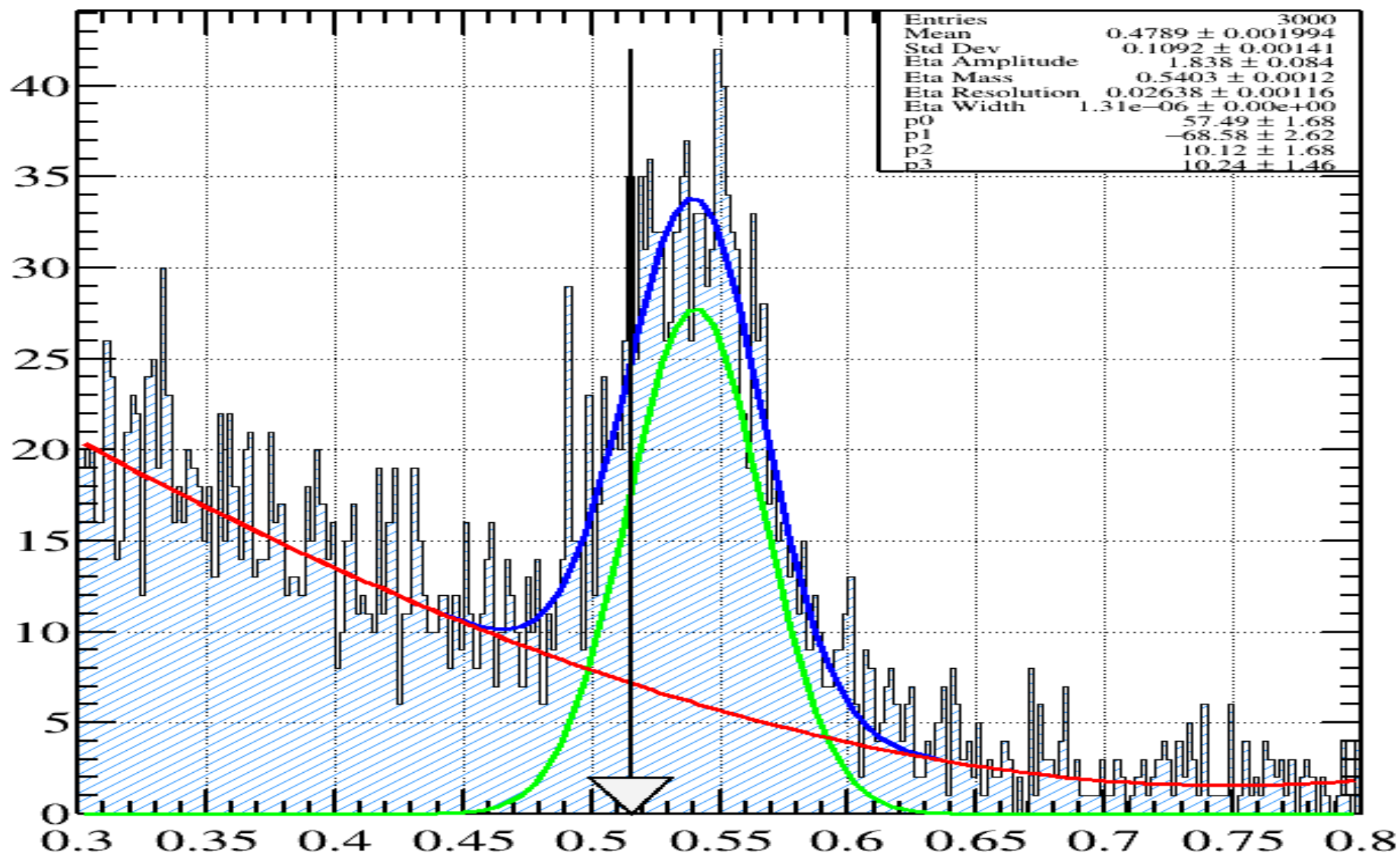
# Quality Factor Study





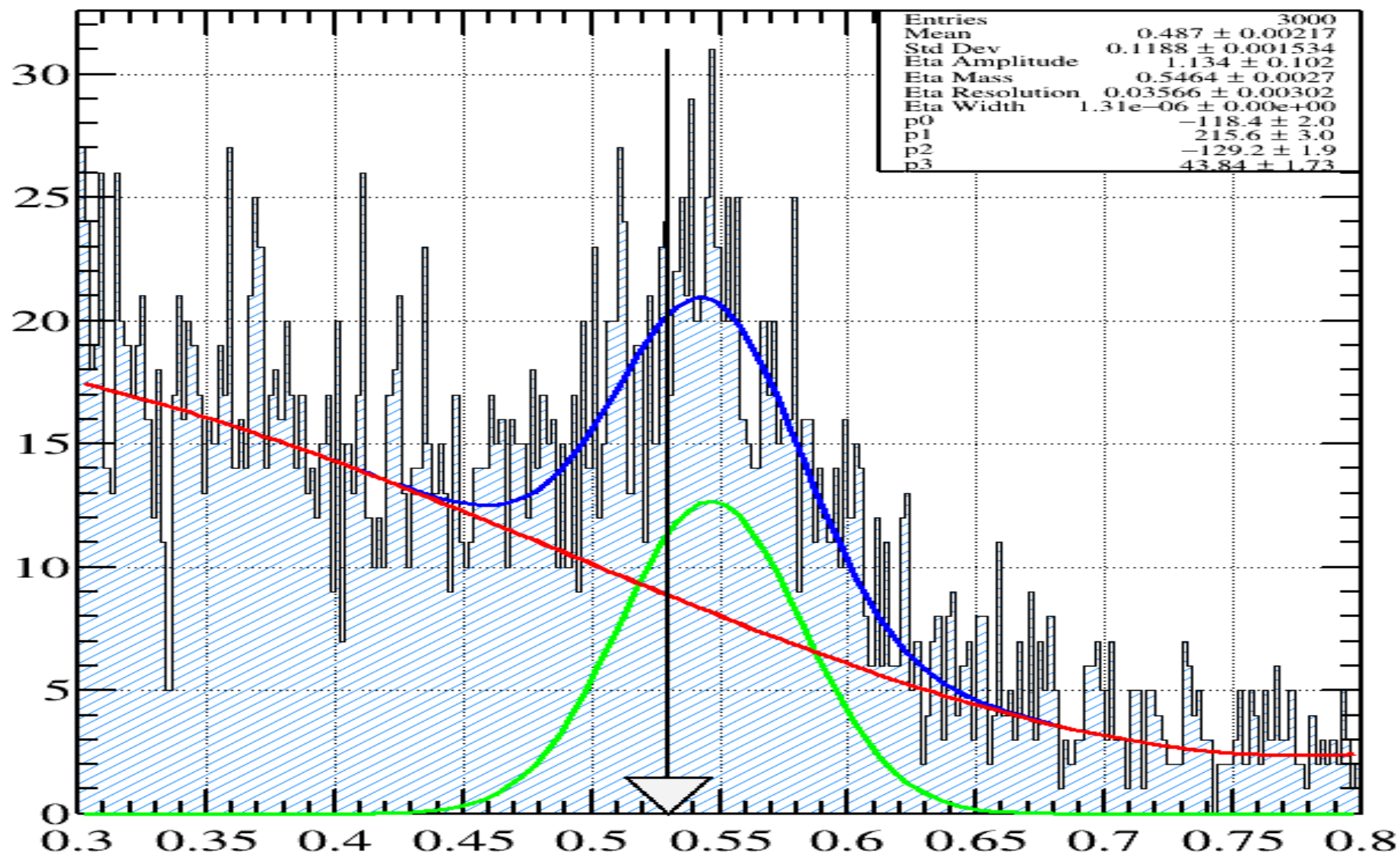
# Quality Factor Study

temp\_hist\_eta



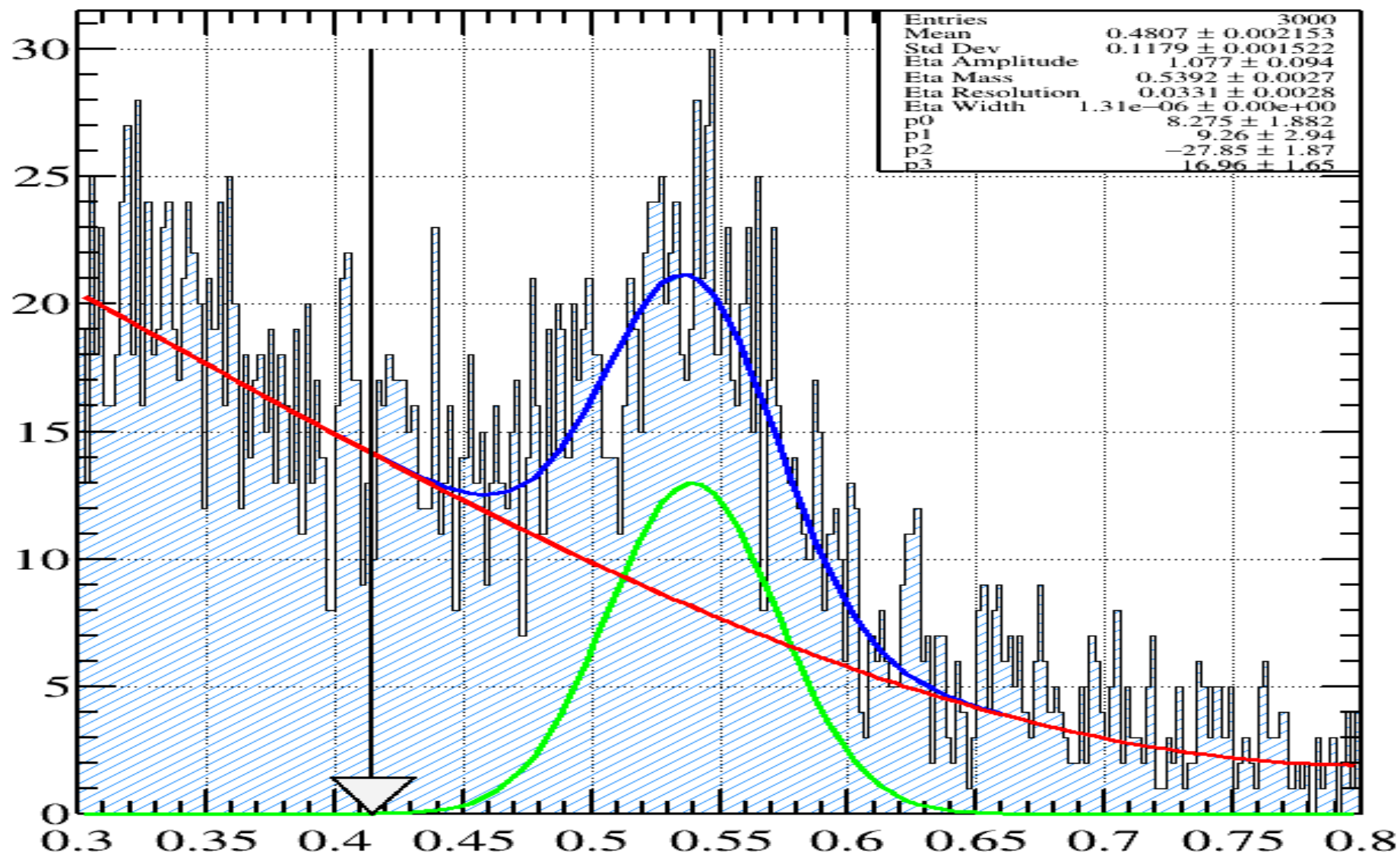
# Quality Factor Study

temp\_hist\_eta

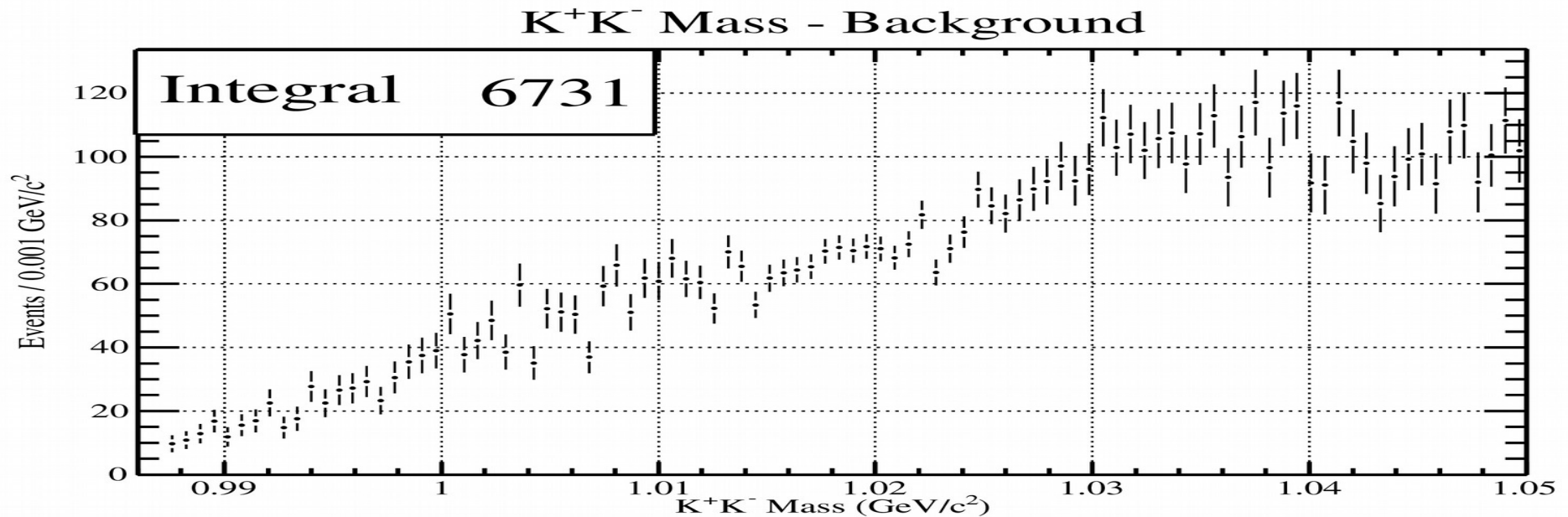
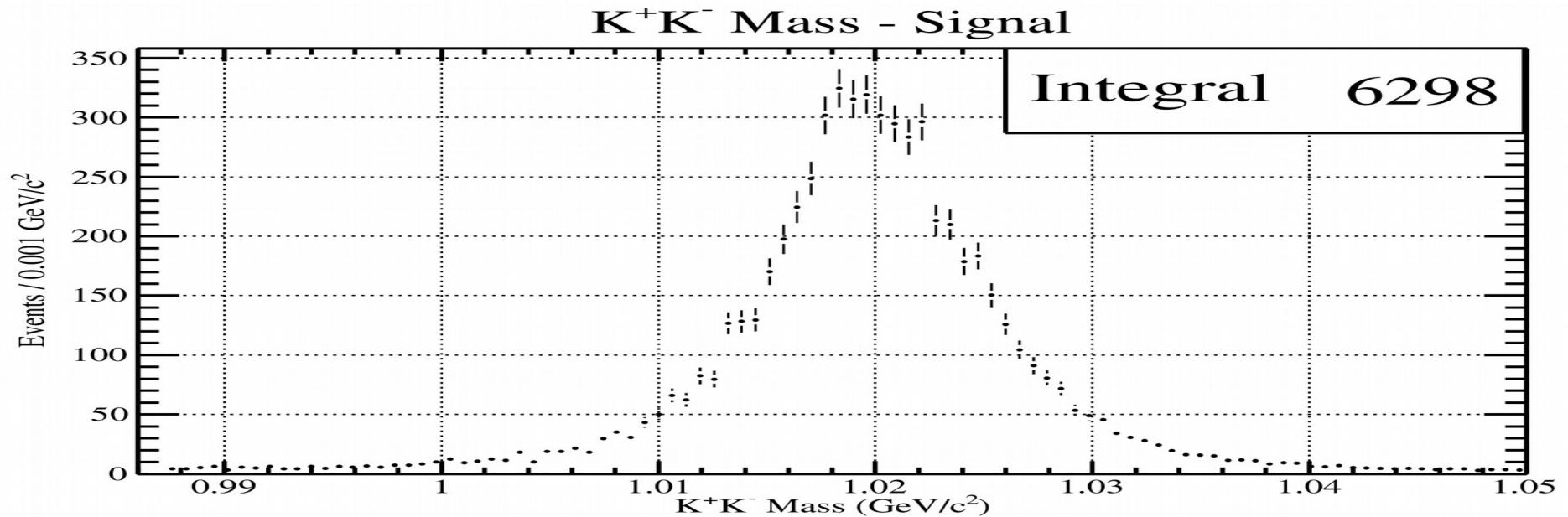


# Quality Factor Study

temp\_hist\_eta

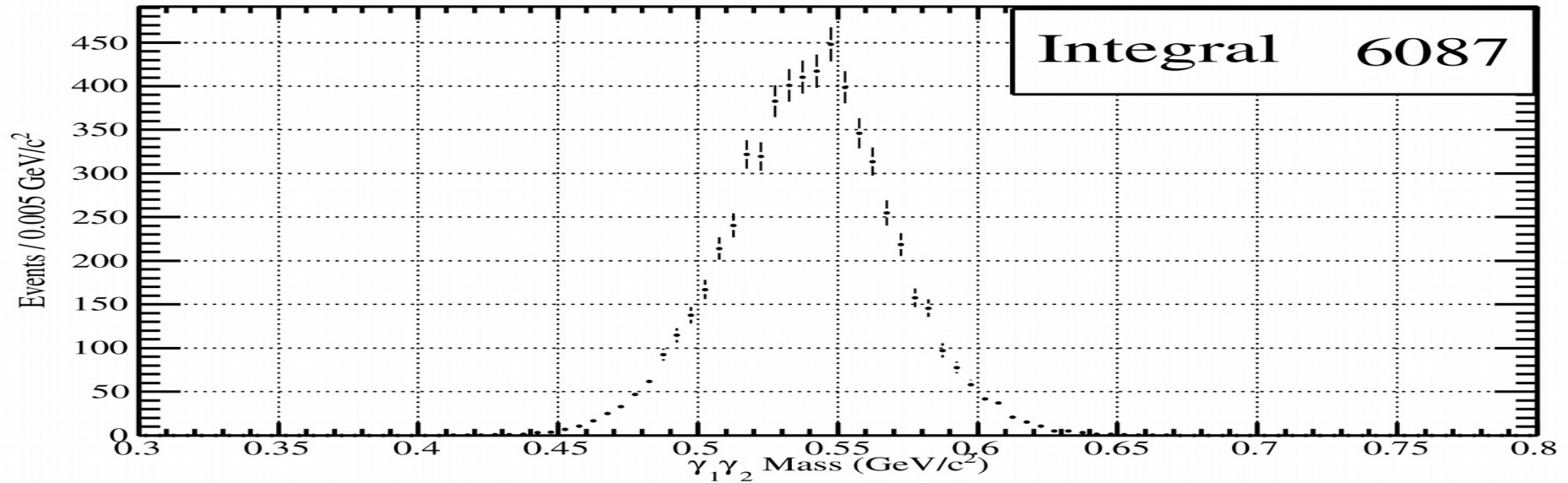


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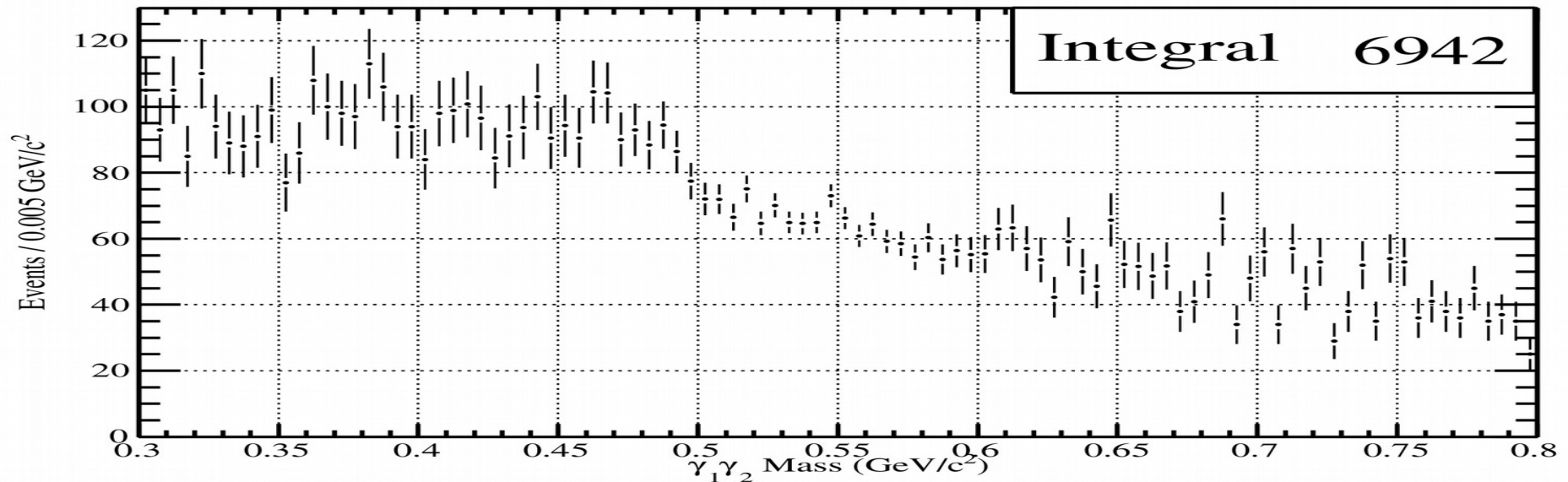


# Quality Factor Study

$\gamma_1\gamma_2$  Mass - Signal



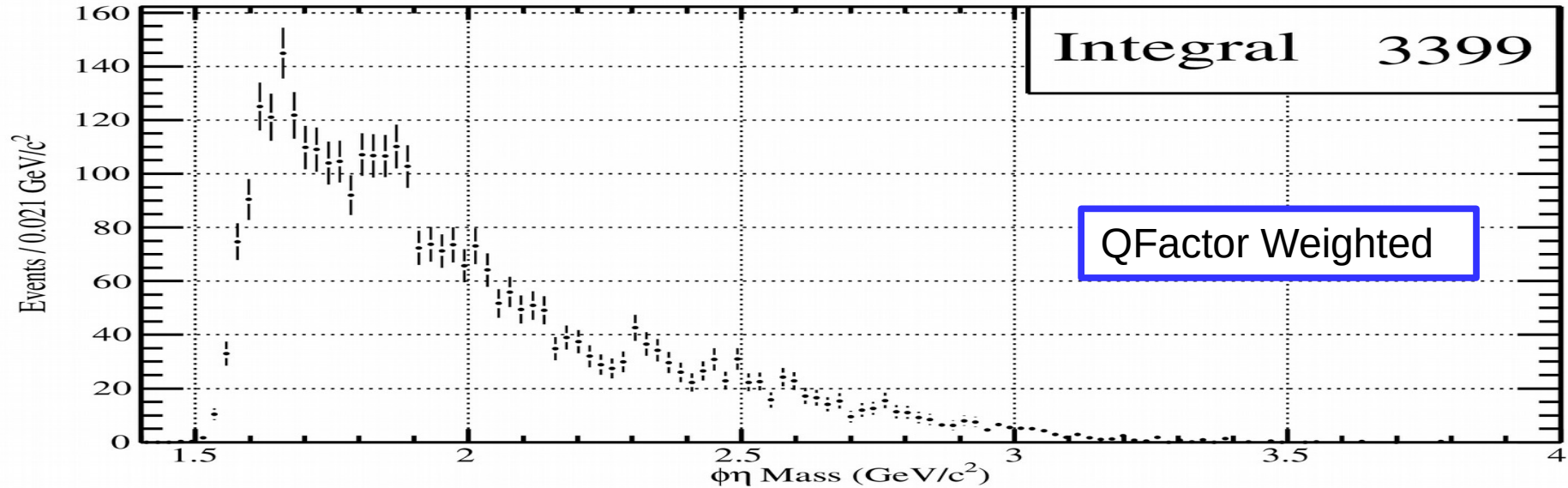
$\gamma_1\gamma_2$  Mass - Background



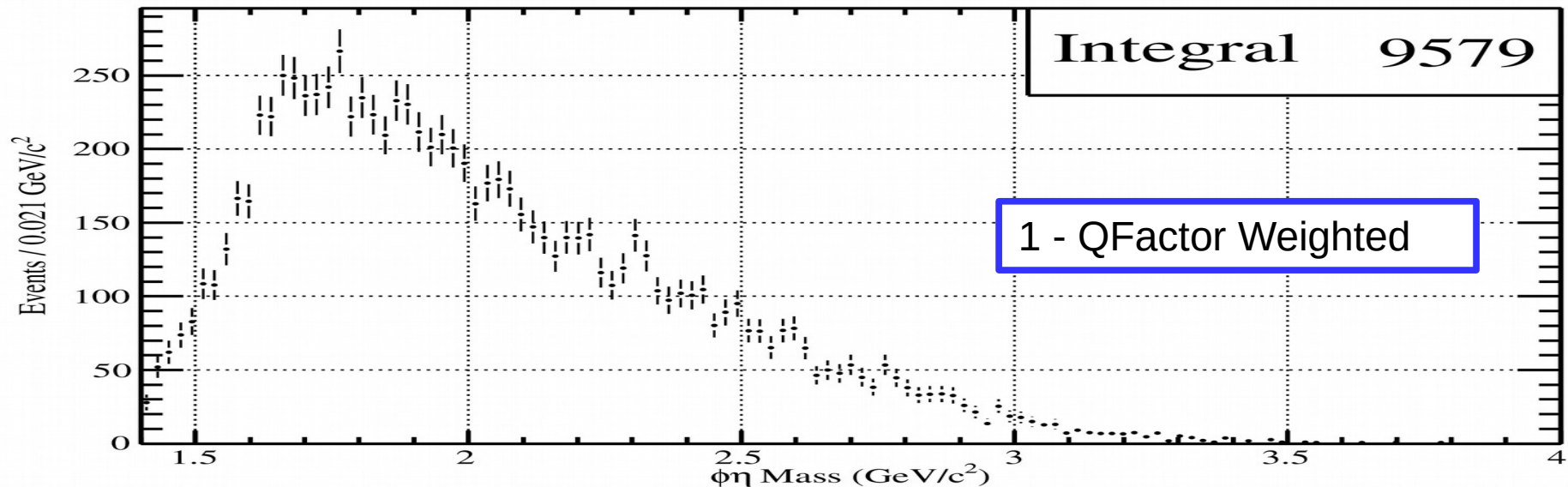


# Preliminary Results for $\Phi\eta$ Invariant Mass

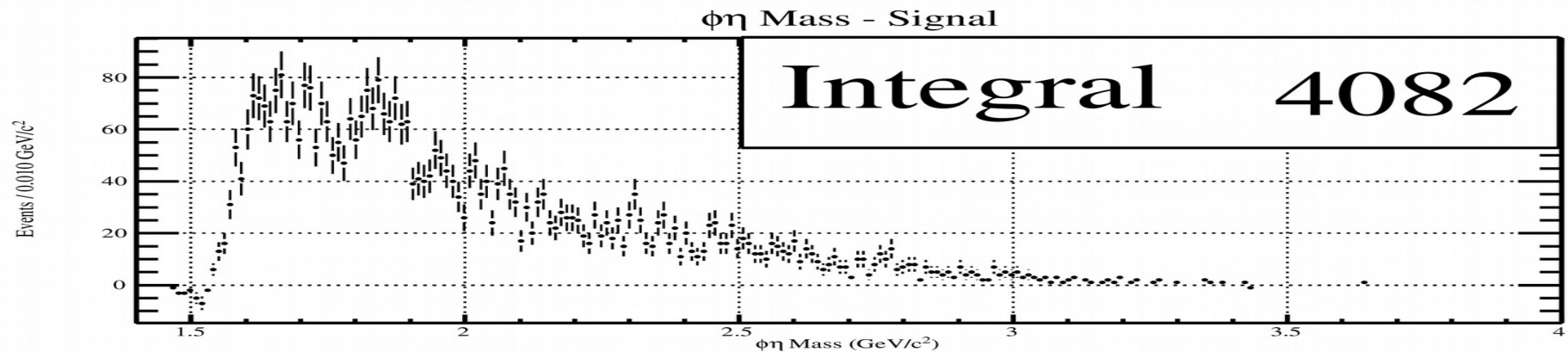
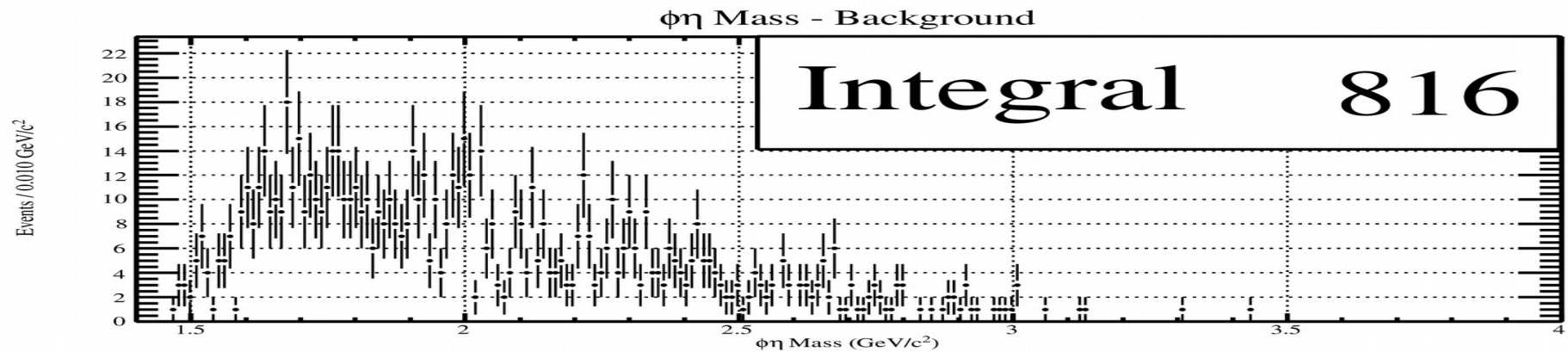
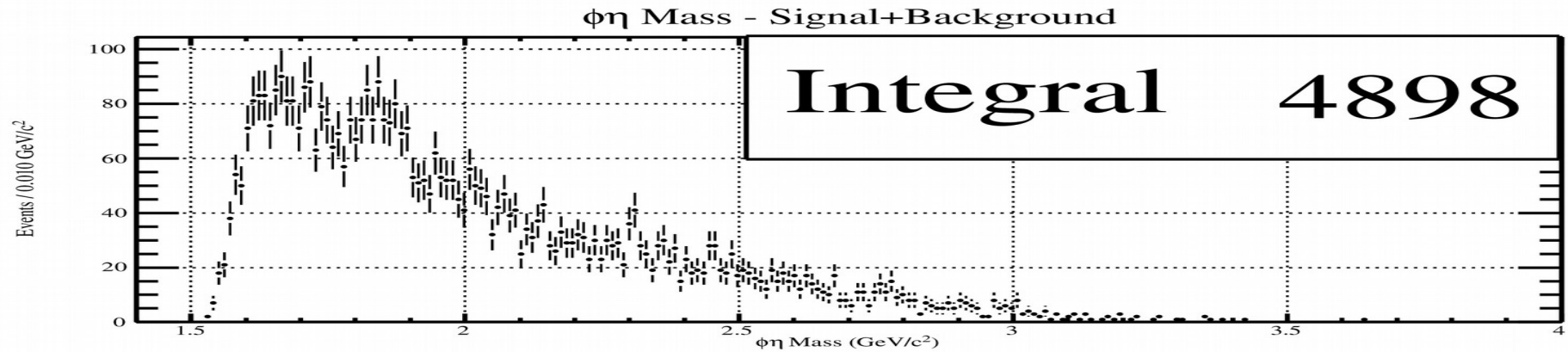
$\Phi\eta$  Mass - Signal



$\Phi\eta$  Mass - Background



# Preliminary Results for $\Phi\eta$ Invariant Mass



# What to do next

- How to properly incorporate accidentals into the Qfactor analysis
- Perform a beam asymmetry analysis on the  $\Phi\eta$  parent state
- Acceptance Studies