



# The Determination of Beam Asymmetry from Double Pion Photoproduction

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# Outline

- Introduction:
  - Problems in Hadron Spectroscopy
- Experimental Facility
- Analysis
  - Coordinate system
  - Final State Equations ( $\gamma p \rightarrow p \pi^+ \pi^-$ )
  - Preliminary Results from g8b

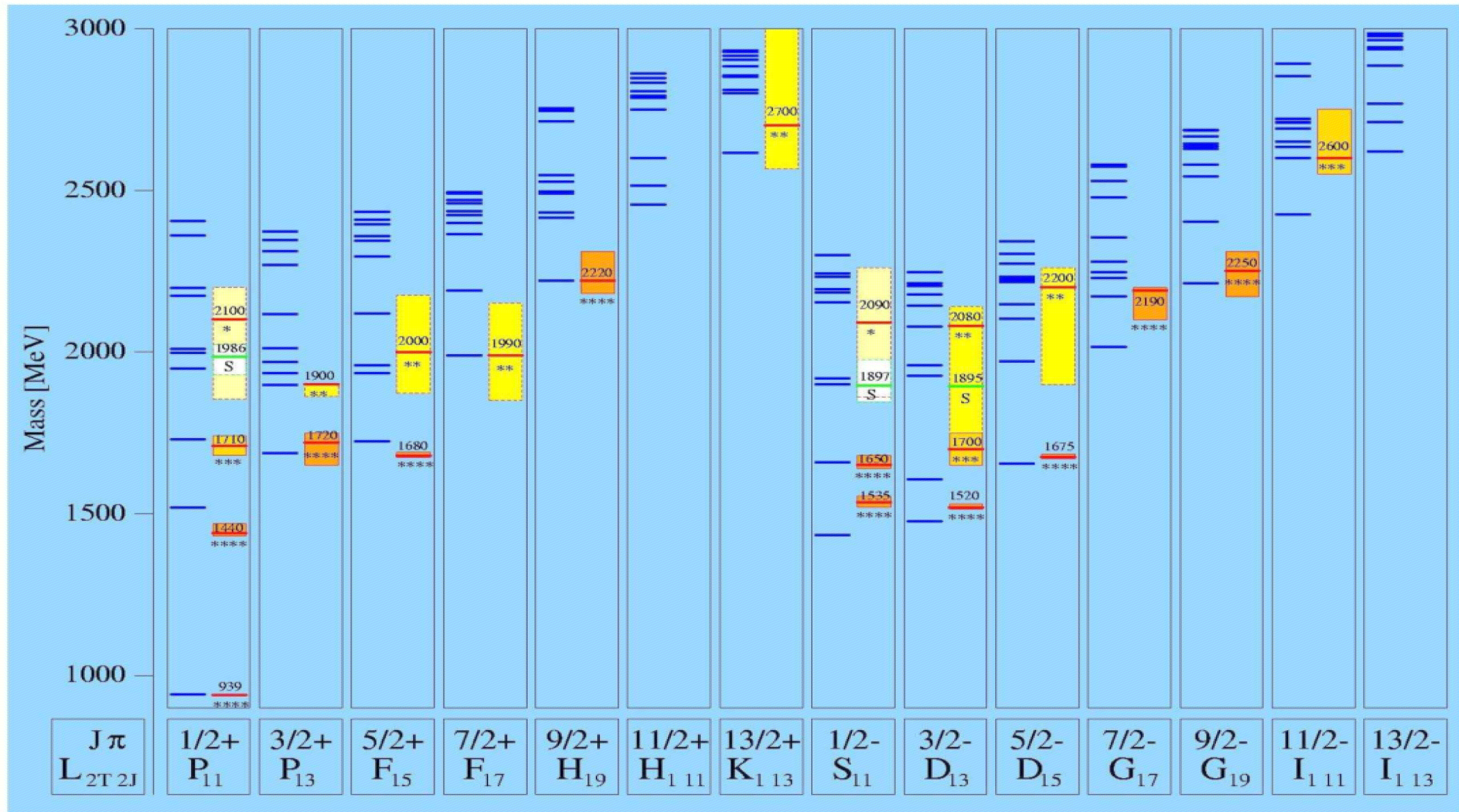


# Problems in Hadron Spectroscopy

- Interactions occur between quarks  $\Rightarrow$  described by Quantum Chromodynamics (QCD).
- But...
  - QCD Lagrangian is not solvable in the low energy range of bound states.
  - Lattice-QCD calculations cannot presently provide us with a complete solution.
- We do have Constituent Quark Models.

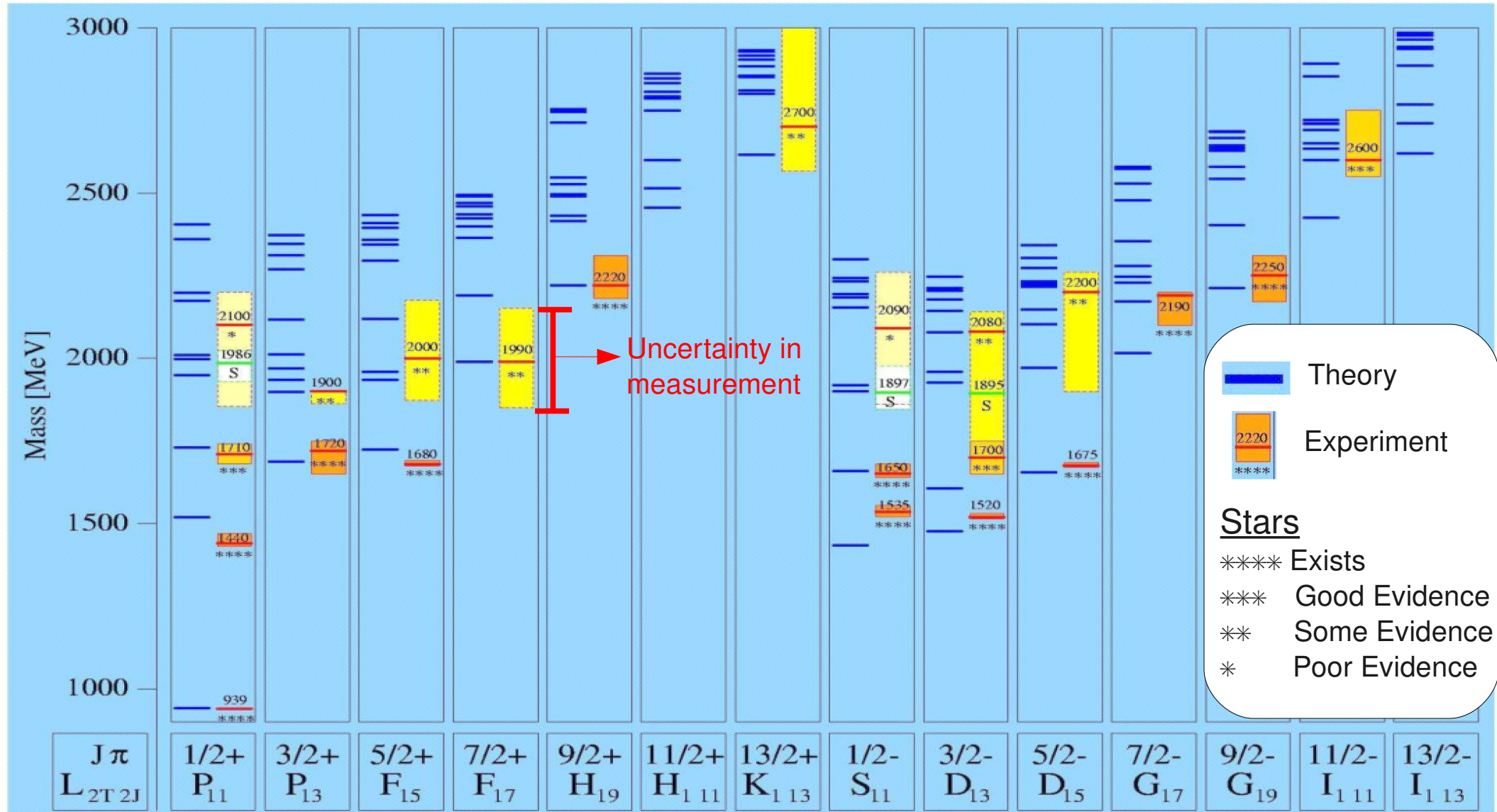
# Problems in Hadron Spectroscopy

$N^*$  Resonances (Isospin =  $\frac{1}{2}$  states)



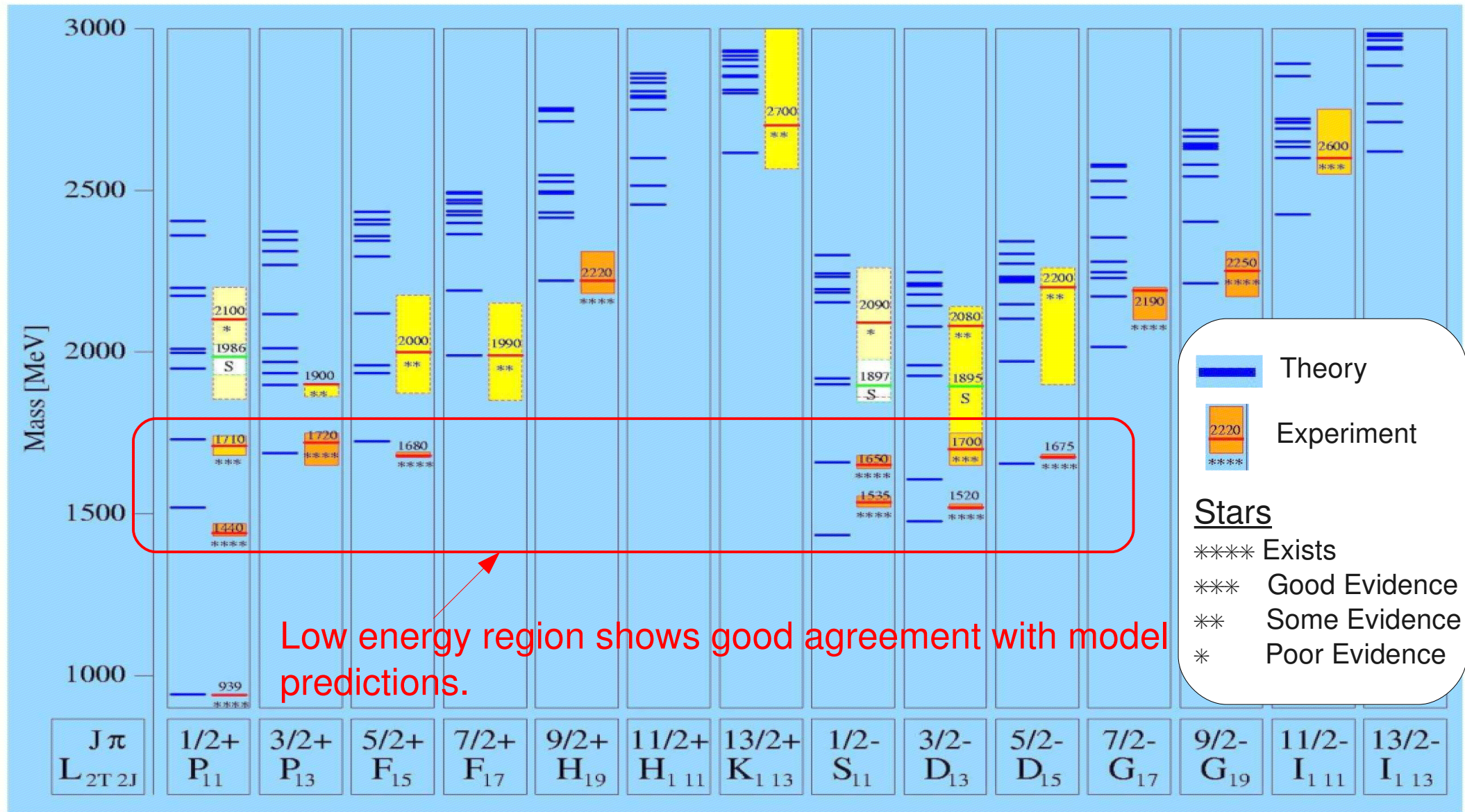
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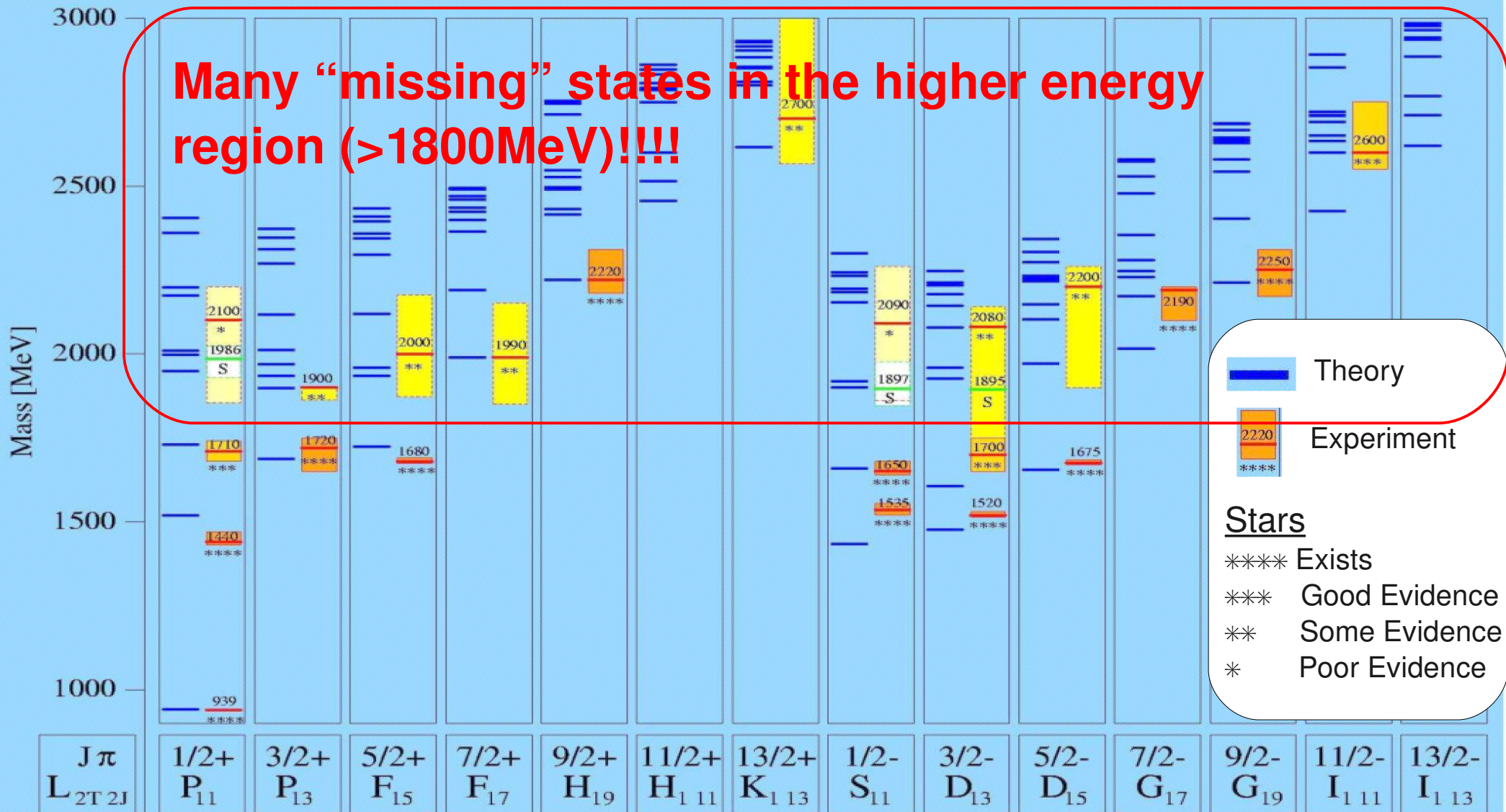
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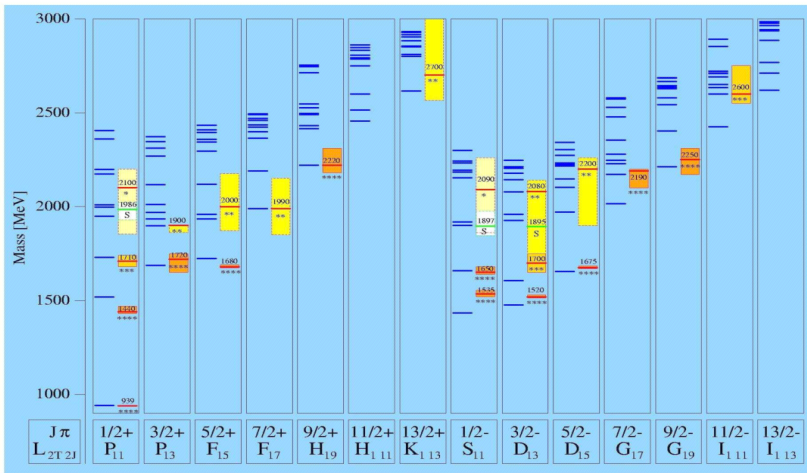
# Problems in Hadron Spectroscopy

$N^*$  Resonances (Isospin =  $\frac{1}{2}$  states)

Many "missing" states in the higher energy region ( $>1800\text{MeV}$ )!!!!

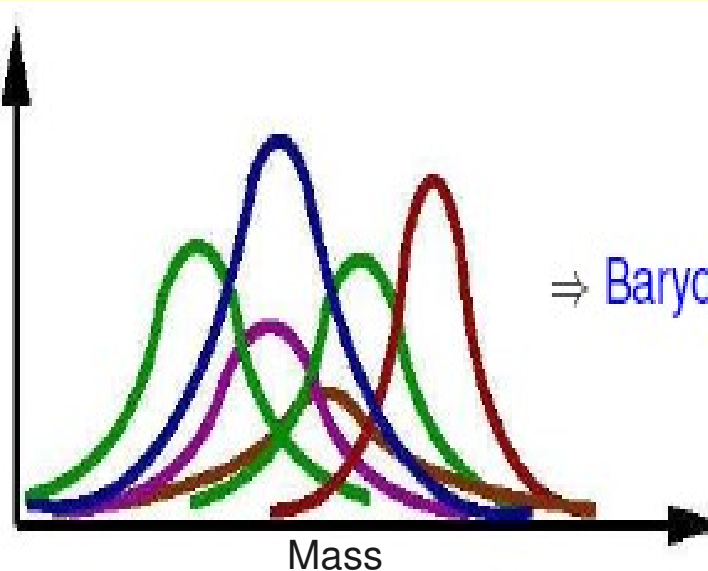


# Entangled Resonances



Need to find a way to isolate singular resonance contributions!!

Projection onto mass axis  $\Rightarrow$



$\Rightarrow$  Baryons are broad and overlapping





# Why the lack of evidence? What can we do?

- Most of the existing data regarding  $N^*$  resonances involves  $\pi N$  elastic scattering.
  - Photoproduction ( $\gamma p$ ) is predicted to be a promising method for producing these states.
- Existing polarized photoproduction data mainly covers a mass range up to about 1800 MeV with analyses involving a single meson.
  - Go higher in energy; analyze a channel with two or more mesons as it accounts for most of the cross section for  $W \geq 2$  GeV
- Analysis of unpolarized data leads to ambiguous results.
  - The inclusion of polarization avoids such ambiguities.



# The Facility: Jefferson Lab in Newport News, VA

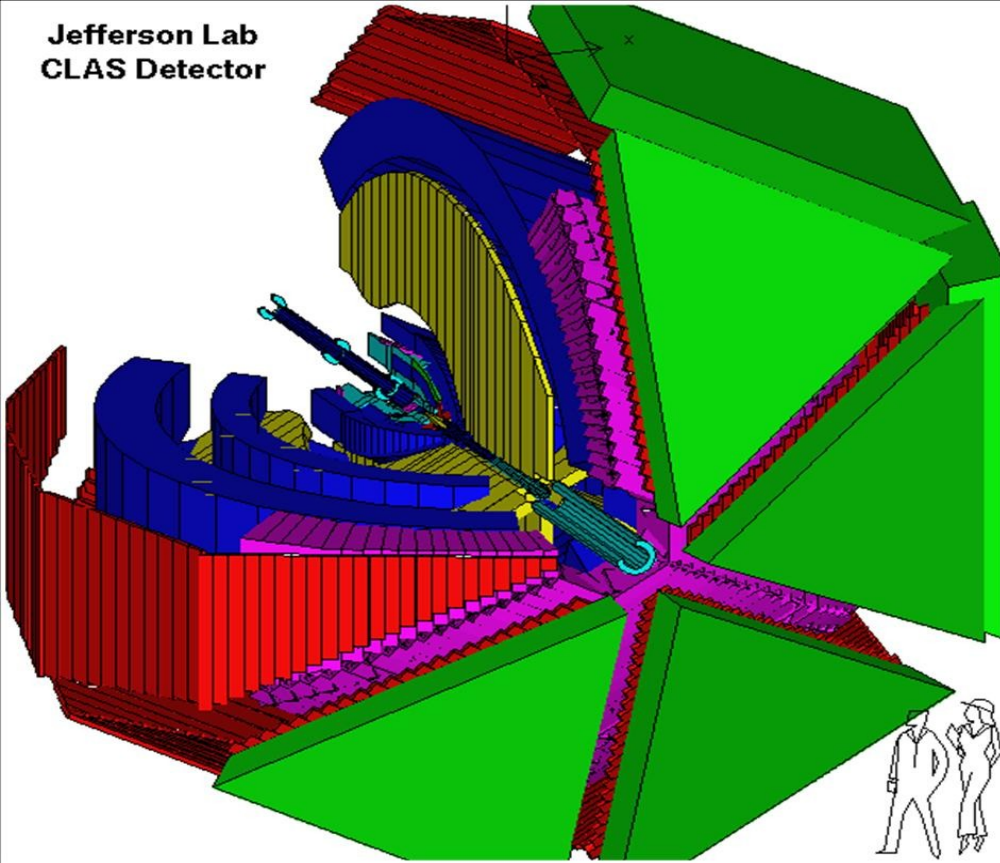


# The Facility: Jefferson Lab in Newport News, VA



# The Hall B Detector : CLAS

Jefferson Lab  
CLAS Detector



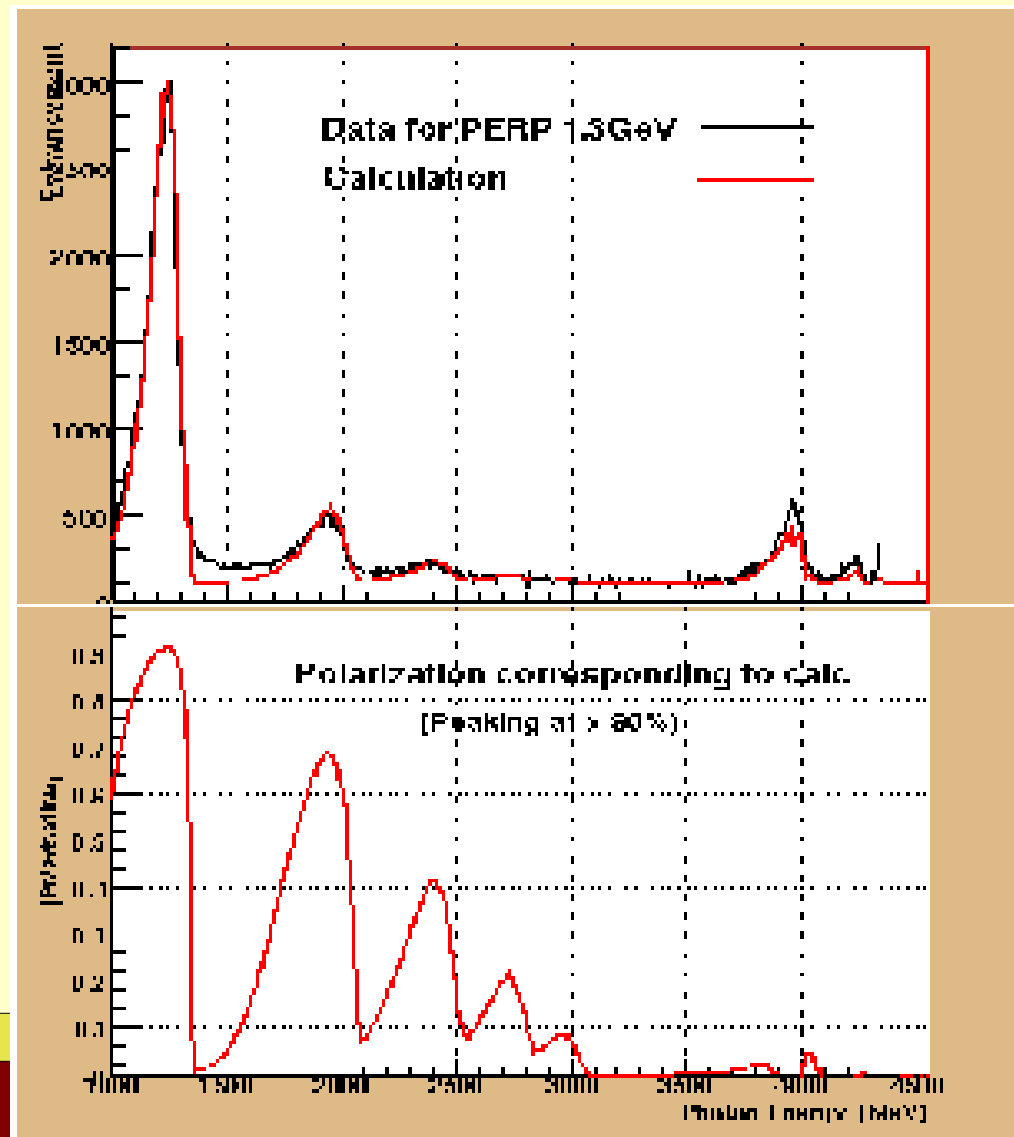
- Yellow : Torus Magnet
- Blue : Drift Chambers
- Purple : Cerenkov Counters

Red : Time of Flight Scintillators

Green : Electromagnetic Calorimeters

# Polarized and Tagged Photon Beam

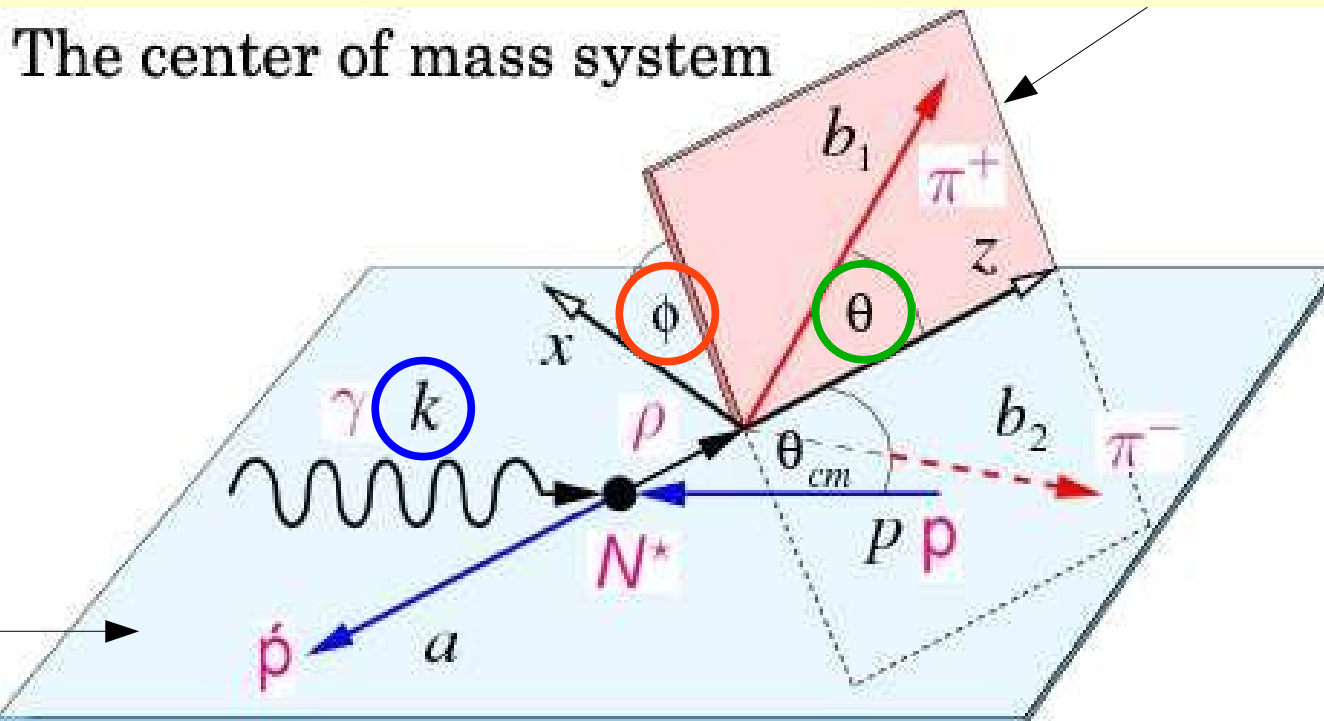
- Hall B has the ability to produce a beam of polarized, tagged photons.
- linearly polarized photon beam = unpolarized electron beam + oriented diamond radiator
- Can obtain 90% polarization



# CM Coordinate System for $\gamma p \rightarrow p \pi^+ \pi^-$

- Analysis of the  $\gamma p \rightarrow p \pi^+ \pi^-$  channel requires the employ of 5 independent variables :  $\cos\theta_p^{cm}$ ,  $m_{p\pi}$ ,  $W$ ,  $\phi$ ,  $\theta$
- $\gamma p \rightarrow N^* \rightarrow N \rho \rightarrow p \pi^+ \pi^-$

Event plane formed by 2 final state particles



# Analysis : Final State Equation

- The final state equation for two mesons in the final state has a total of 15 observables.

$$I = I_0 \{ (1 + \Lambda_i \cdot \mathbf{P}) + \delta_{\odot} (\mathbf{I}^{\odot} + \Lambda_i \cdot \mathbf{P}^{\odot}) + \delta_l [ \sin 2\beta (\mathbf{I}^s + \Lambda_i \cdot \mathbf{P}^s) + \cos 2\beta (\mathbf{I}^c + \Lambda_i \cdot \mathbf{P}^c) ] \}$$

$I_0$  = unpolarized reaction rate

$\Lambda_i$  = degree of polarization of target

$\delta_{\odot, l}$  = degree of polarization of photon beam

$\mathbf{P}$  = observables arising from target polarization

$\mathbf{I}^{\odot, s, c}$  = observables arising from use of polarized photons

$\beta$  = orientation of polarization w.r.t. a final state particle

- Through the use of experimental conditions/setup, we can reduce the number of observables making a measurement possible.



# Experimental Setup : g8b

- The g8b experiment ran from July - Sep 1st, 2005.
- Used linearly polarized photons incident on an unpolarized  $\text{LH}_2$  target.

$$I = I_0 \{ (1 + \Lambda_i \cdot \mathbf{P}) + \delta_{\odot} (\mathbf{I}^{\odot} + \Lambda_i \cdot \mathbf{P}^{\odot}) + \delta_l [ \sin 2\beta (\mathbf{I}^s + \Lambda_i \cdot \mathbf{P}^s) + \cos 2\beta (\mathbf{I}^c + \Lambda_i \cdot \mathbf{P}^c) ] \}$$



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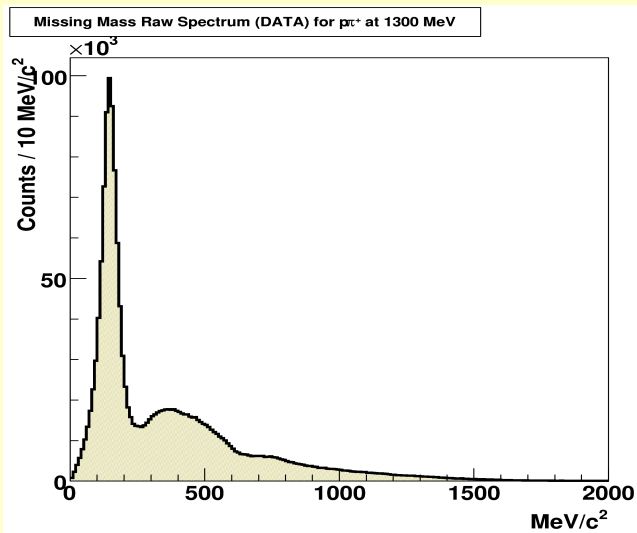


$$I = I_0 \{ 1 + \delta_l [ \mathbf{I}^s \sin 2\beta + \mathbf{I}^c \cos 2\beta ] \}$$

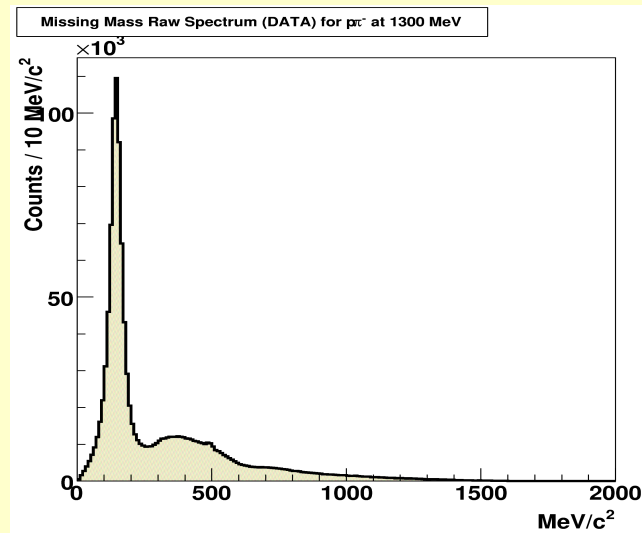
- $I^c$  (also known as  $\Sigma$  in the single-meson equation)
- $I^s$

# The g8b Data Set

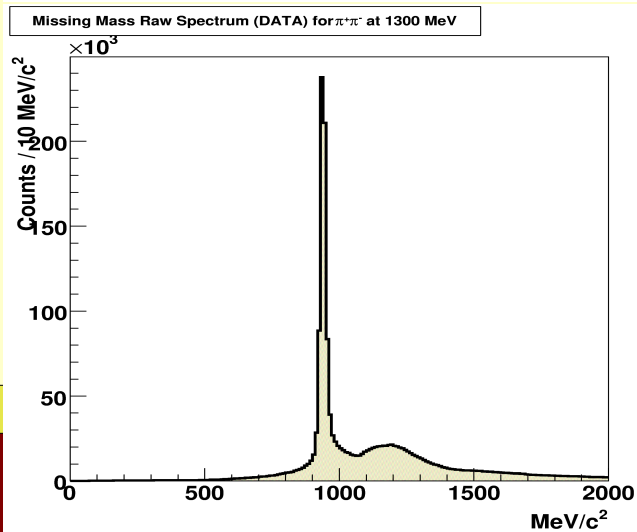
- $\gamma p \rightarrow p \pi^+ \pi^-$  from the g8b data set
- Kinematically fitting four topologies



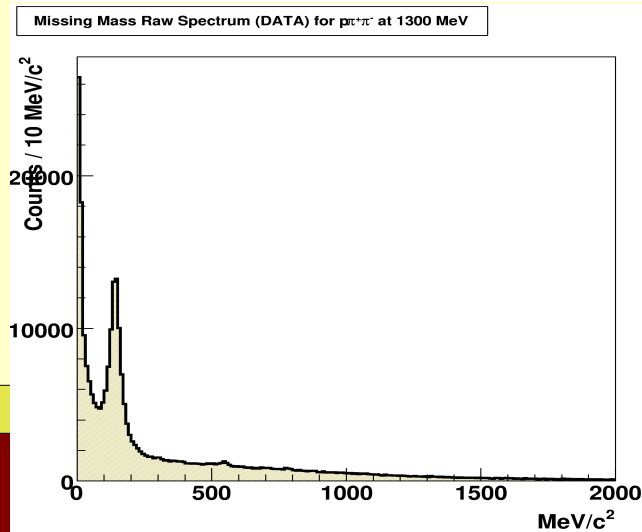
$p \pi^+ (\pi^-)$



$p \pi^- (\pi^+)$



$\pi^+ \pi^- (p)$

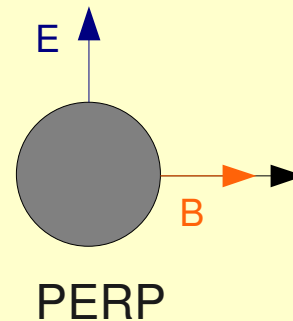
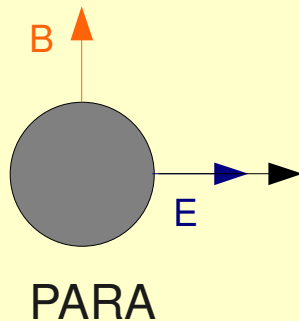


$p \pi^+ \pi^-$

51.32 M events!!

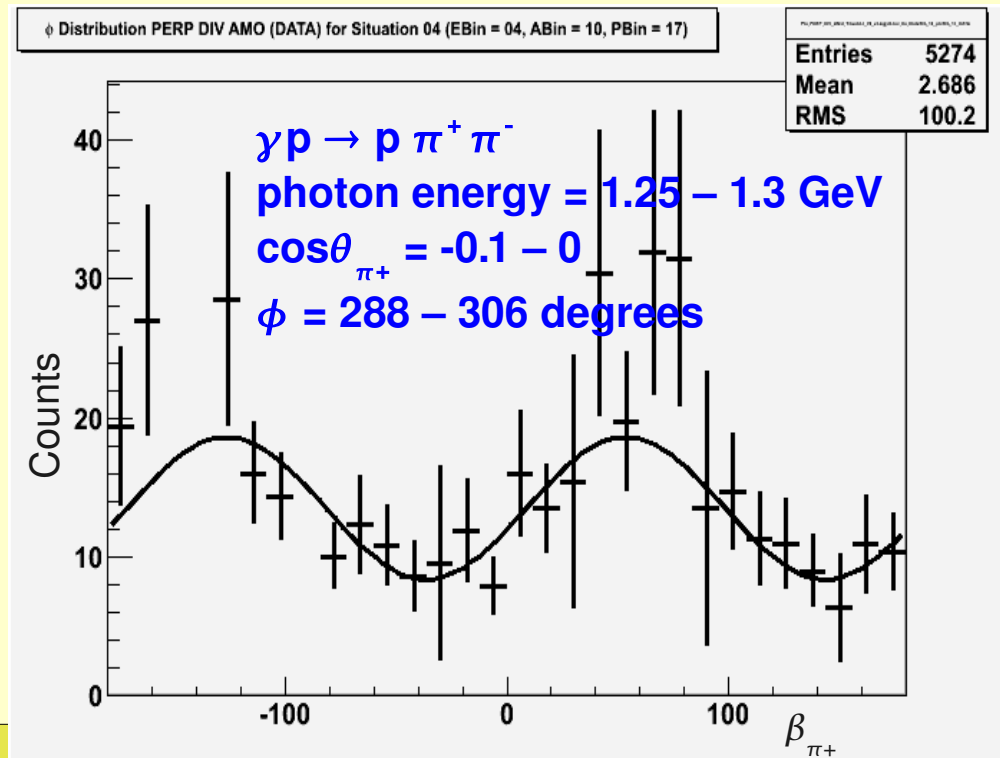
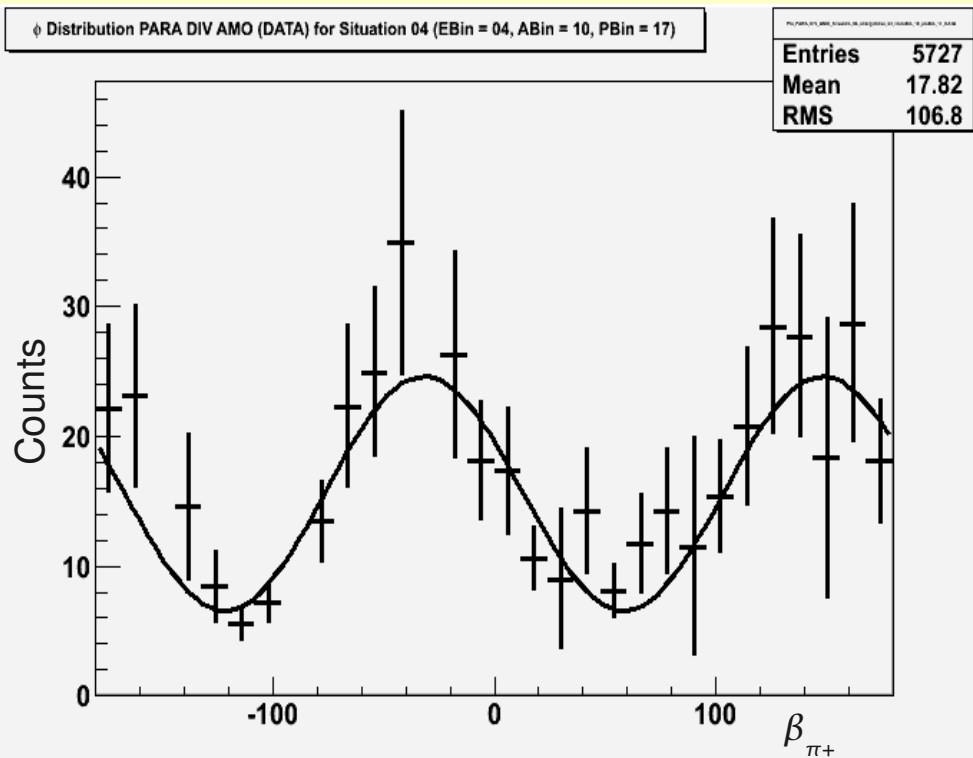
# Preliminary Results: Phi Distributions

- Distribution of  $p \pi^+ \pi^-$  events is normally independent of the lab angle  $\phi$  but the polarized photons break that symmetry.
- CLAS Language: Linear Polarization
  - PARA = E field parallel to the floor
  - PERP = E field perpendicular to the floor
  - AMO = no polarization



# Preliminary Results: Phi Distributions

- To remove effects of the experimental setup and to be able to garner physics from the data, the phi distributions for PARA and PERP are divided by the AMO phi distributions.
- Fit to :  $x + \delta_l [I^s \sin 2\beta + I^c \cos 2\beta]$



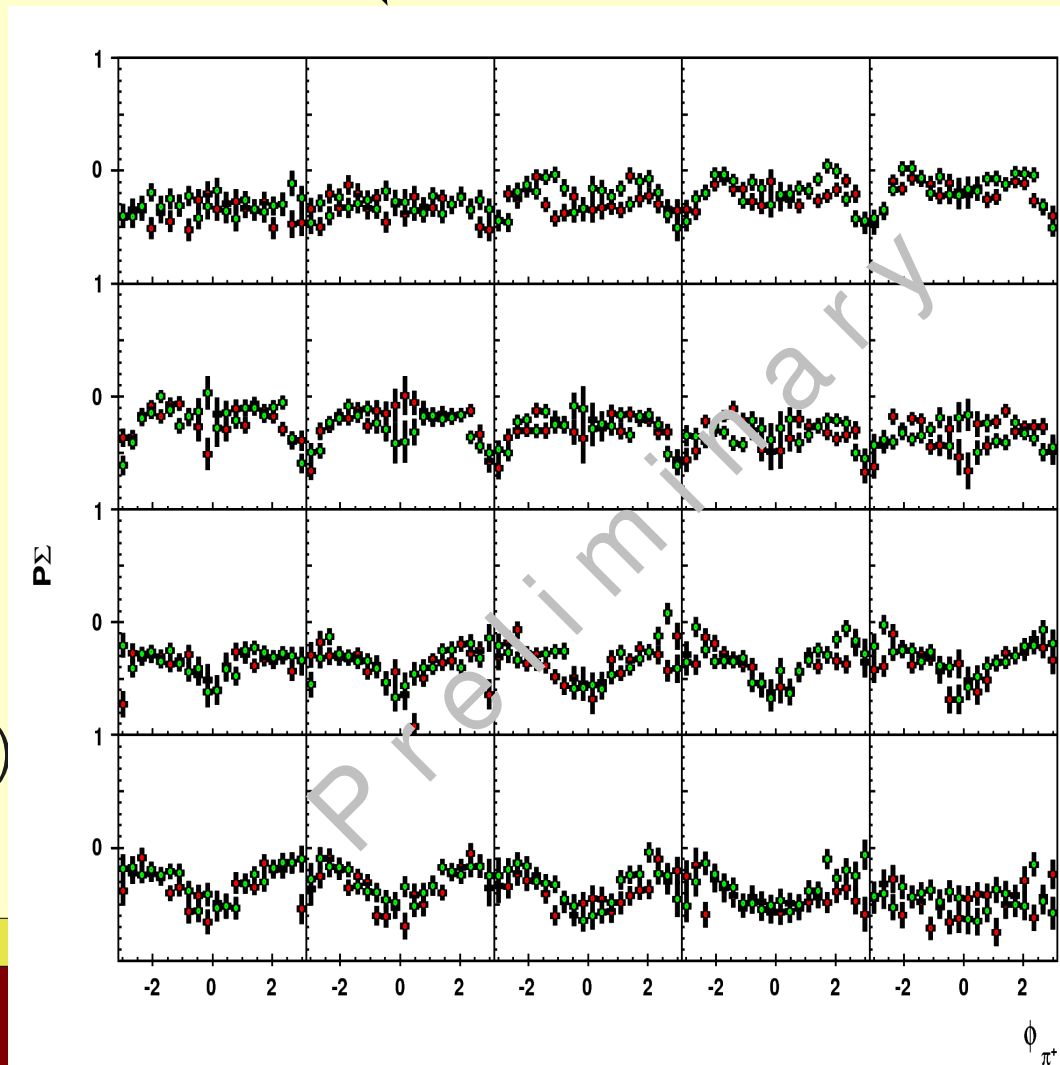
90 degree shift between PARA and PERP distributions!!

# Preliminary Results : $I^c$

$$I = I_0 \{1 + [\delta_l I^s \sin 2\beta + \delta_l I^c \cos 2\beta]\}$$

$\gamma p \rightarrow \pi^+ \pi^- (p)$

- Red = PARA/AMO  
Green = PERP/AMO
- Photon energy of 1150 – 1200 MeV
- Each square is an bin in  $\cos\theta$  of the  $\pi^+$ .
- Y-axis is the value of the observable.
- X-axis is the  $\phi$  of the  $\pi^+$ .
- We see a non-zero value for  $I^c$  ( $\Sigma$ )
- $I^c$  is symmetric around the origin.

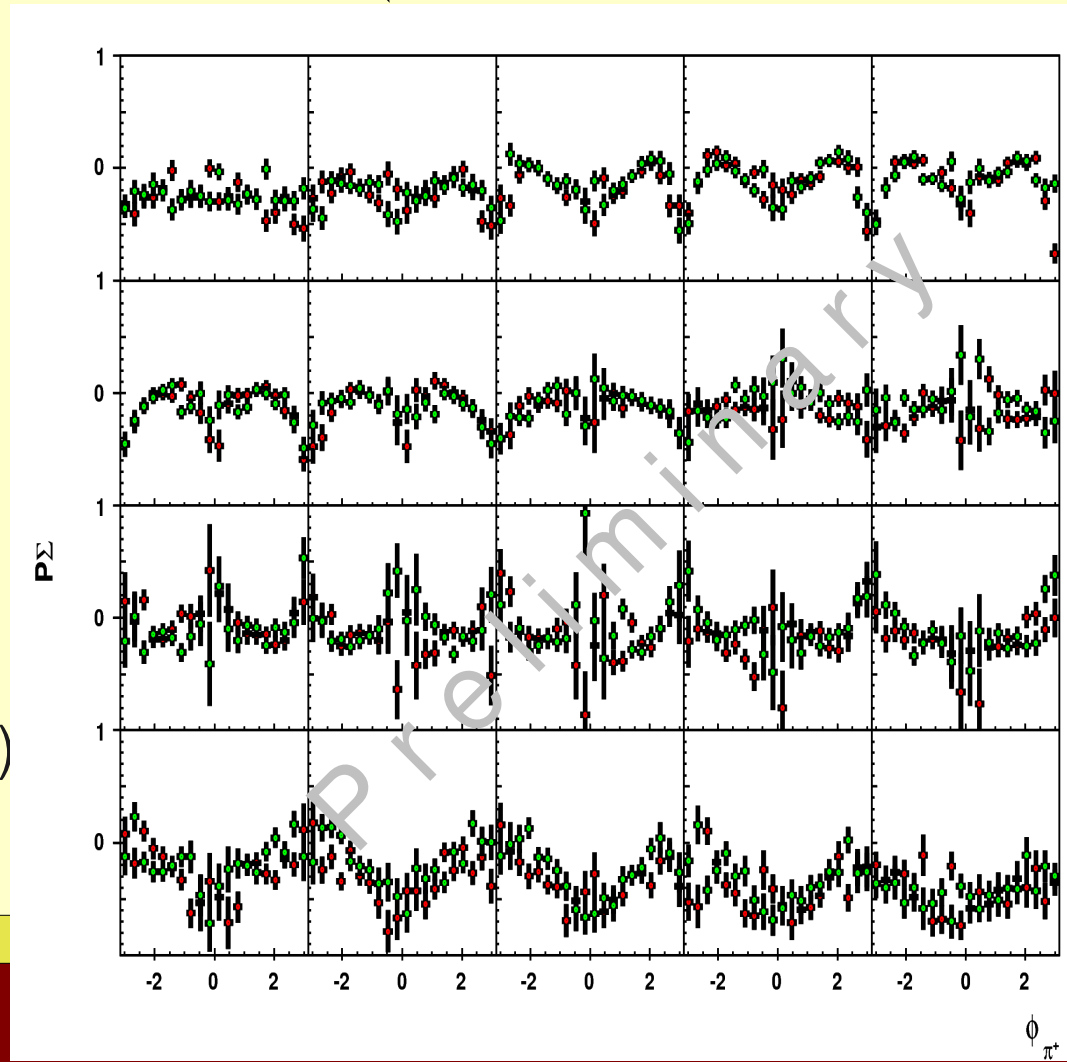


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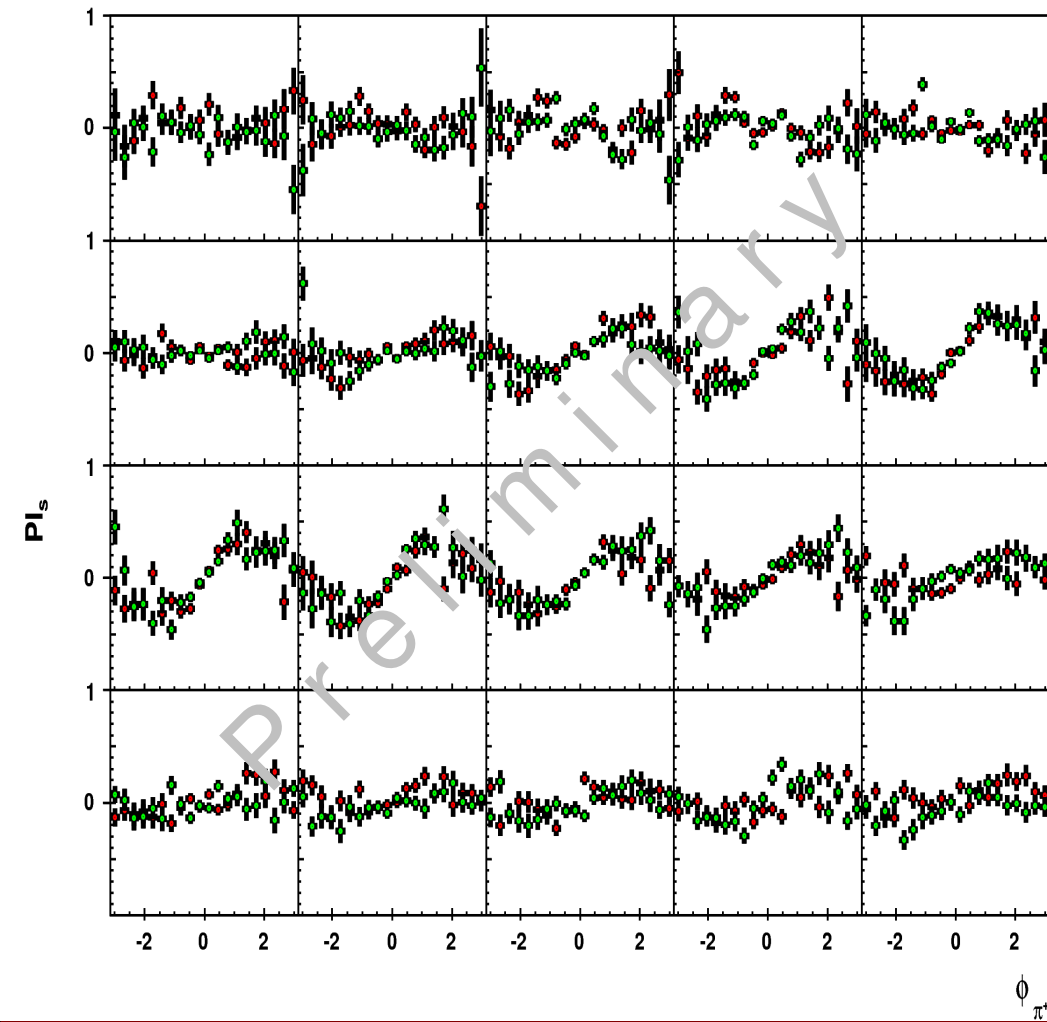
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# Preliminary Results : $I^s$

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$\gamma p \rightarrow p \pi^+ (\pi^-)$



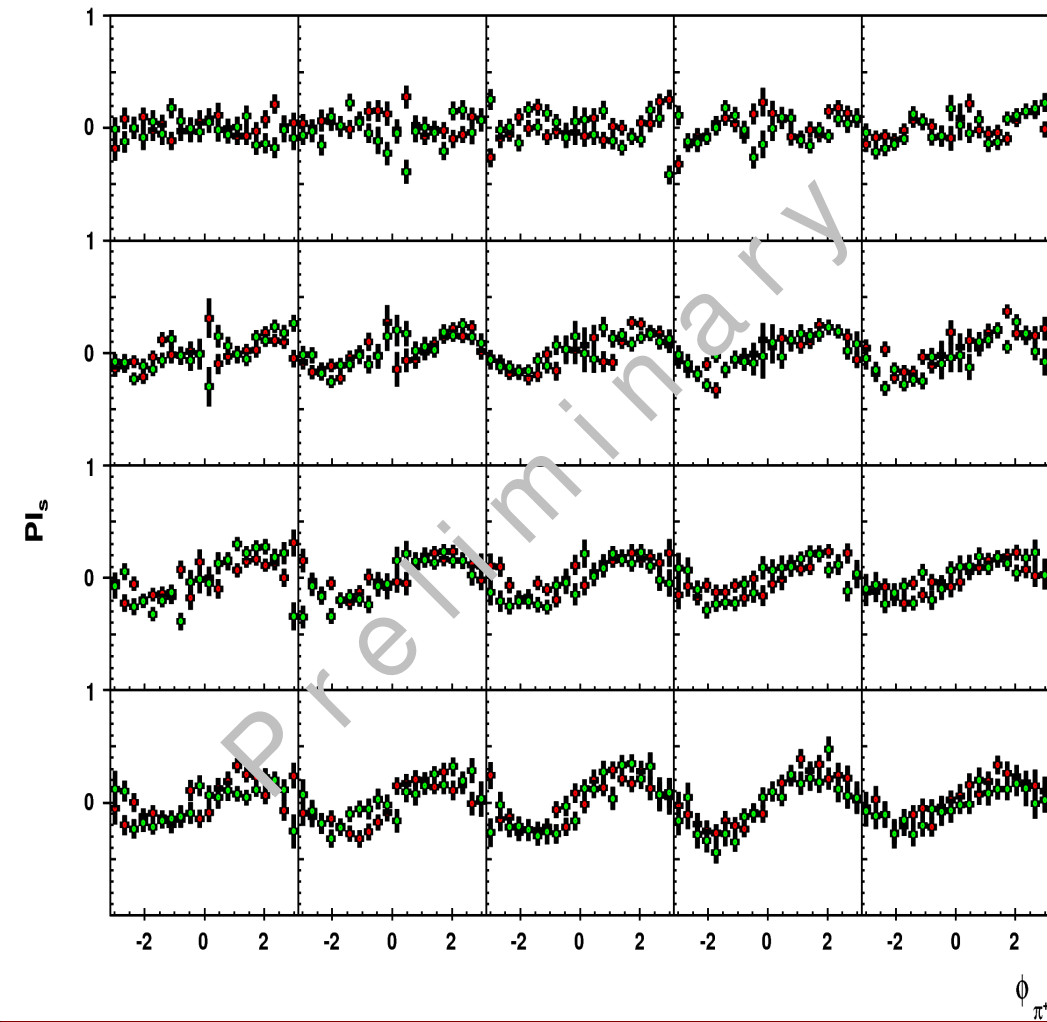
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- Once we bin in the second angle ( $\phi$  of the  $\pi^+$ ) we see a non-zero value for  $I^s$ .
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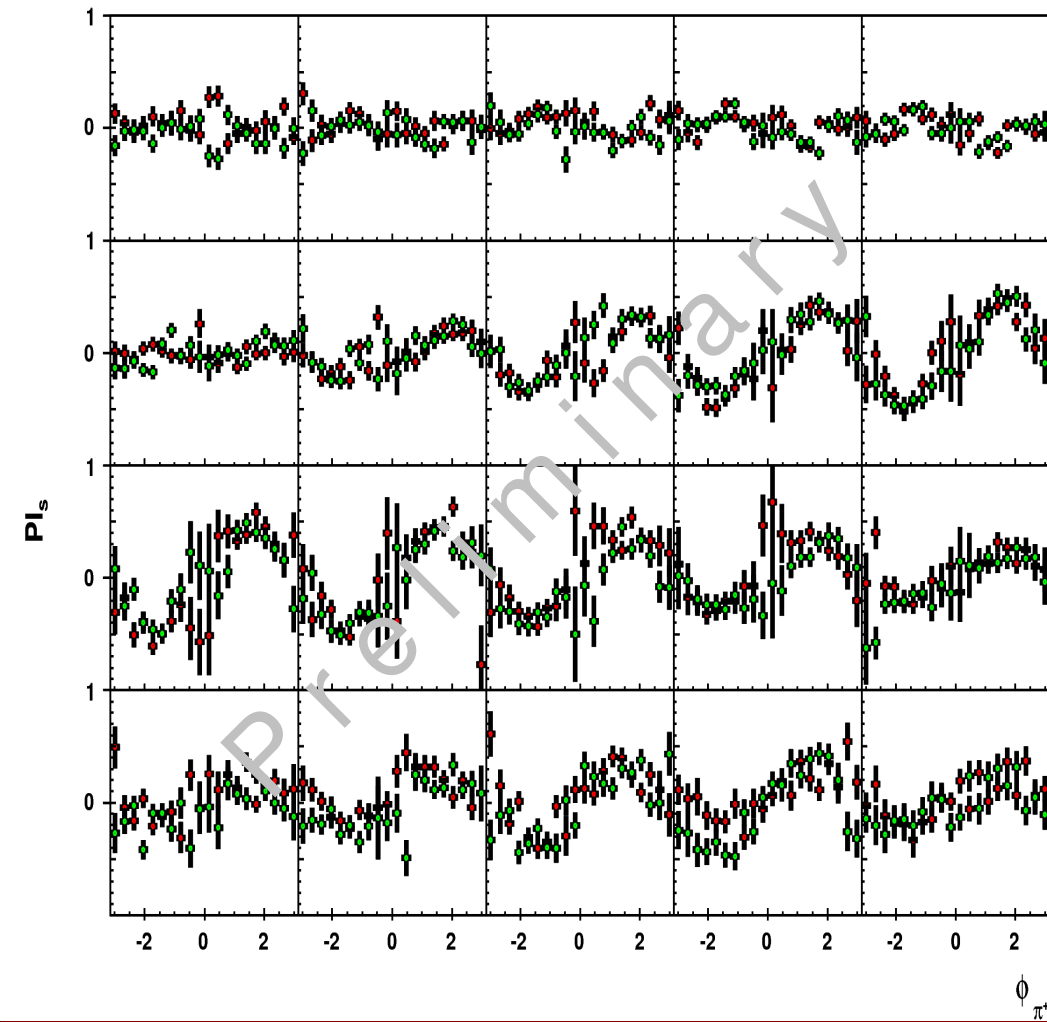


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# Summary

- There is a high amount of statistics available in the g8b data set for the study of the  $\gamma p \rightarrow p \pi^+ \pi^-$  channel.
- The first (preliminary) measurements of  $I^s$  and  $I^c$  for  $\gamma p \rightarrow p \pi^+ \pi^-$  have been made.
- The measurement of these polarization observables as well as others are key to understanding the issue of “missing” resonances seen in CQMs.
- Polarized photoproduction experiments will provide insight into these elusive states.



END